

# Absorption Measure Distribution: models vs observations

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## Outline

- 1 X-ray absorption in AGN**
  - Observations
  - Spectral analysis
- 2 Absorption Measure Distribution**
  - Photoionization calculation
  - AMD

### Conclusions

- Summary
- Discussion

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### Conclusions

- Summary
- Discussion

### I will NOT talk about:

- 1** AGN feedback
- 2** the wind origin
- 3** MHD simulations
- 4** the wind location
- 5** variability
- 6** winds in X-ray binaries

## First evidence of X-ray absorption – “Warm Absorber”

MR 2252-178 ( $z=0.064$ ), Halpern 1984, EINSTEIN HRI

QSO M

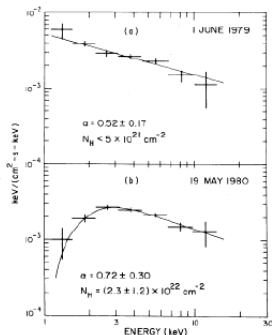


FIG. 1.—Einstein MPC spectra for MR 2251–178: (a) 1979 June 1; (b)

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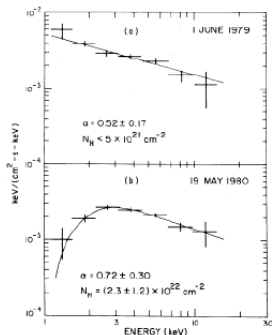


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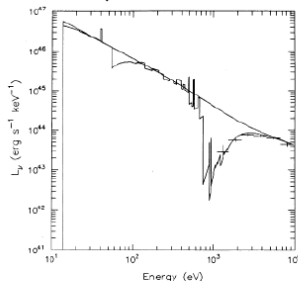


FIG. 3.—Incident and emergent spectra for a shell of column density  $6.2 \times 10^{22}$  and  $\log U = 0$ , normalized to the MPC spectrum of 1980 May. Prominent absorption edges are due to He II, O VII, and O VIII at 54.4, 739, and 870 eV respectively.

O VII 0.739 keV,  
O VIII 0.870 keV

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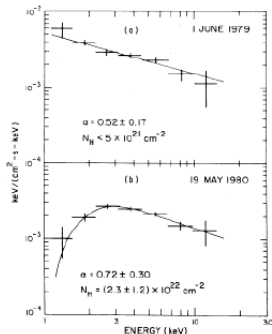


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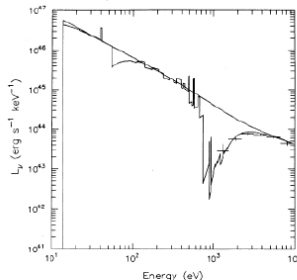


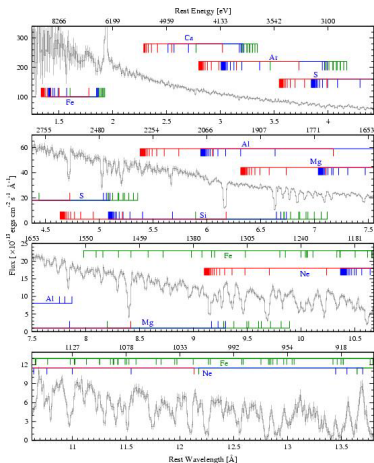
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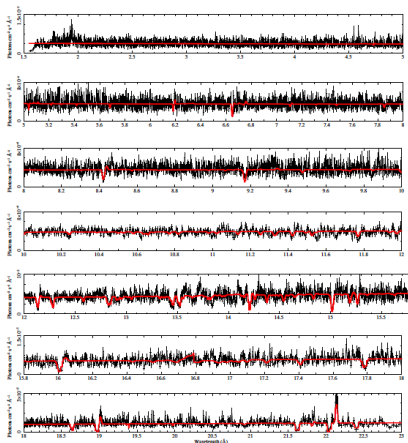
Progress of our knowledge about WA is connected with the development of X-ray satellites. **ASCA** (90-ties) - only edges :)

# High resolution instrument: CHANDRA

**NGC 3783**, Sy1, **Kaspi + 02**  
HETG, METG, 900 ksec



**NGC 4051**, Sy1, **King + 2012**  
12 HETG, METG, 308 ksec

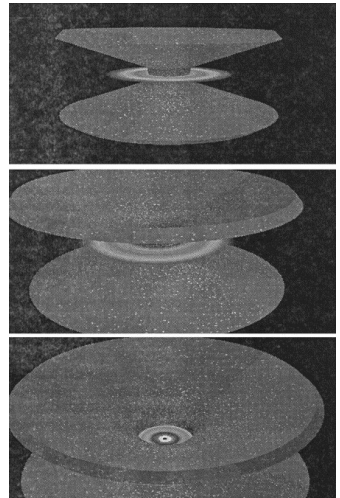
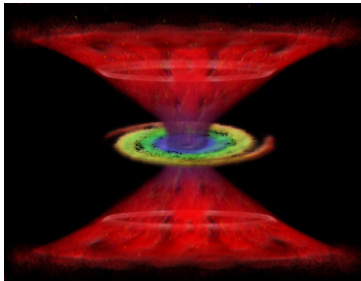
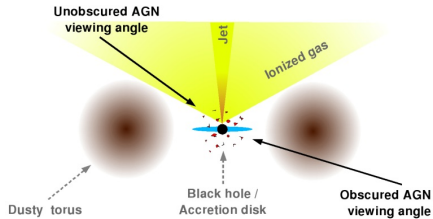




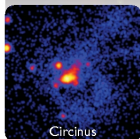
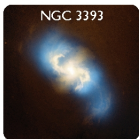
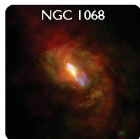


# High resolution X-ray spectroscopy

New region of invisible highly ionized plasma in AGN scheme

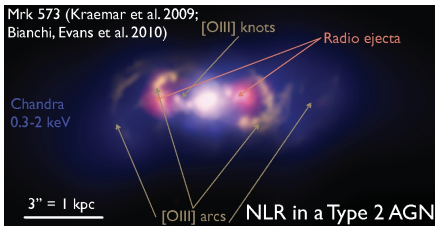


# Ionized plasma can be spatially resolved with CHANDRA

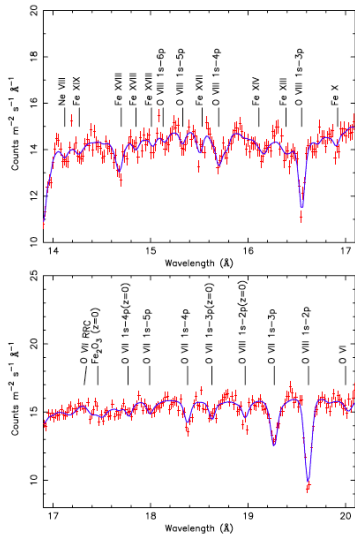


- **NGC 1068 (440 ks)**
  - $N_{\text{H}} > 10^{25} \text{ cm}^{-2}$  (Evans et al. 2010)
  - HST: Das, Crenshaw & Kraemer (2007)
- **NGC 3393 (350 ks)**
  - Binary BH (Fabbiano et al. 2011)
  - $N_{\text{H}} \sim 2 \times 10^{24} \text{ cm}^{-2}$  (Fukazawa et al. 2011)
  - HST: Cooke et al. (2000)
- **Circinus (695 ks)**
  - $N_{\text{H}} \sim 2 \times 10^{24} \text{ cm}^{-2}$  (Yang et al. 2008)
- **Mrk 3 (400 ks)**
  - $N_{\text{H}} \sim 1.1 \times 10^{24} \text{ cm}^{-2}$  (Awaki et al. 2007)
  - HST: Crenshaw et al. (2010)

Survey of  
Outflows in  
AGN  
Resolved  
Spectroscopy



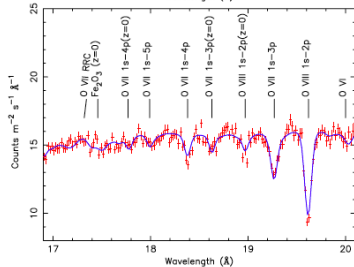
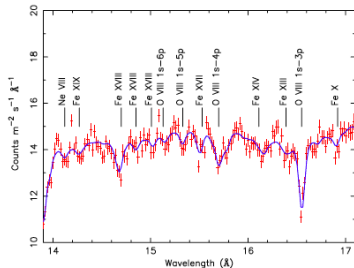
**Mrk 509, Detmers + 11**  
XMM-Newton, RGS 600 ksec



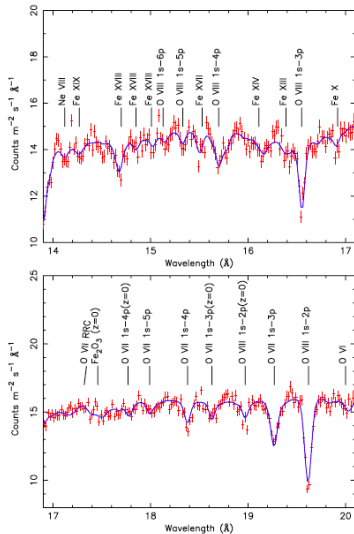
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## Fitting individual lines

- 1 each line fitted with Gaussian profile; energy shift gives  $v_i$
- 2 EW - standard xspec command



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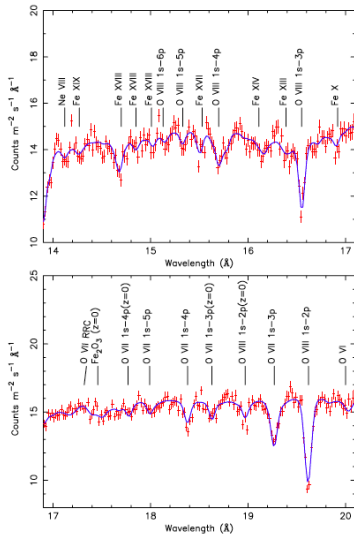


## Fitting individual lines

- 1 each line fitted with Gaussian profile; energy shift gives  $v_i$
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- 3 ionic column densities by integration over model

$$N_i = \frac{m_e c}{\pi e^2 f_i \lambda_i} \int \tau(\nu) d\nu$$

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## Fitting individual lines

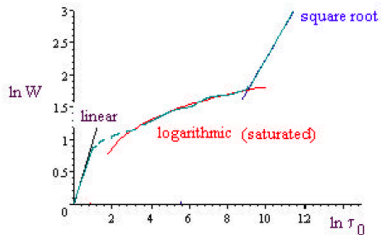
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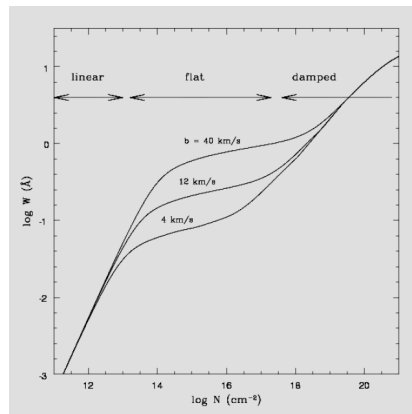
- 4 with Solar :) abundances  
**photoionization modelling**
- 5 connects  $N_i$  with  $N_H$  and  $N_{tot}$   
column density of the absorber

## Theoretical curve of growth

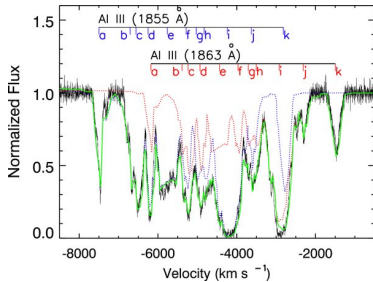
Linear dependence of EW (named  $W$  here) on ionic column density is valid only if lines are unsaturated



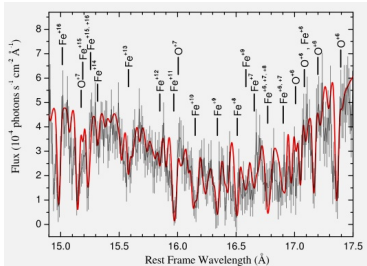
For saturated lines velocity matters



SDSS J0318-0600, Dunn + 10, VLT,  $z=1.96$

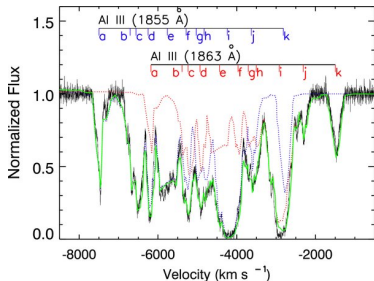


NGC 3783, Holczer + 05, HETG





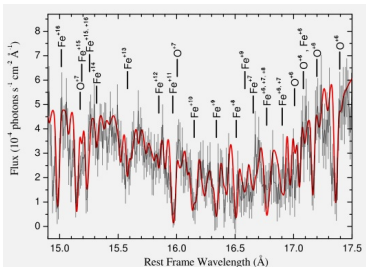
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## Fitting individual lines in UV

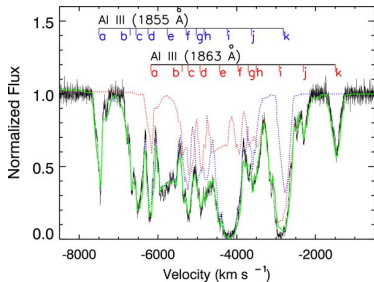
- 1 lines possess many velocity components
- 2 different absorbers

NGC 3783, Holczer + 05, HETG

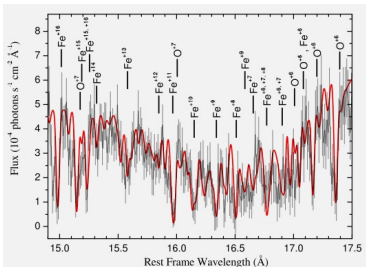




SDSS J0318-0600, Dunn + 10, VLT, z=1.96



NGC 3783, Holczer + 05, HETG



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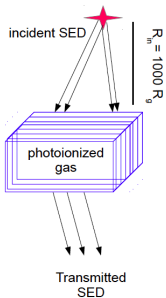
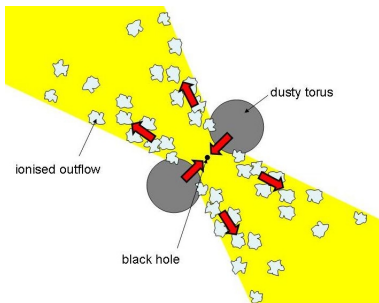
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- 3 ionic column densities by integration over data

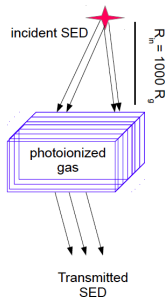
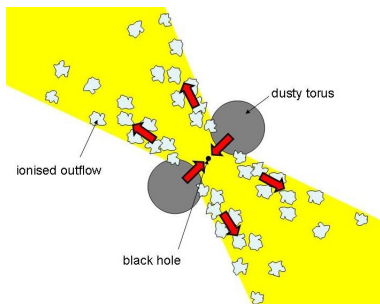
$$N_i = \frac{m_e c}{\pi e^2 f_i \lambda_i} \int \tau(\nu) d\nu$$

- 4 covering factor can be obtained

$$\tau_\nu = -\ln \left( \frac{I_\nu - 1 - C_f}{C_f} \right)$$

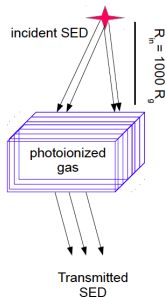
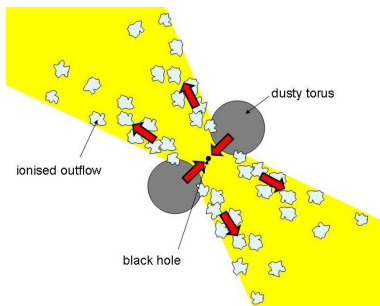
- 5 photoionization modelling !?





## One photoionization component

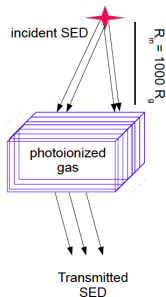
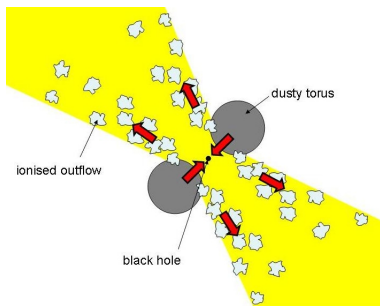
- 1 parameters:  $A_i$  - Solar :),  
 $R$ ,  $n_0$ ,  $N_{tot}$ ,  $L_{ion}$ ,  $SED$ ,  $C_f = 1$
- 2 1D non-LTE radiative transfer  
with ionization and thermal eq.:  
**CLOUDY, XSTAR, TITAN, ION,  
PHASE, SPEX, XABS, SLAB**



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- 3 ionization parameter:

$$\xi_0 = \frac{L_{ion}}{n_0 R^2}$$



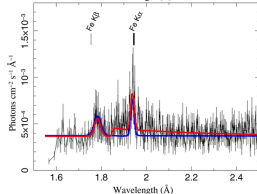
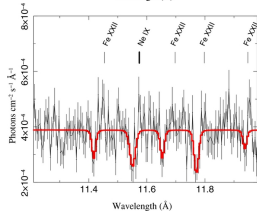
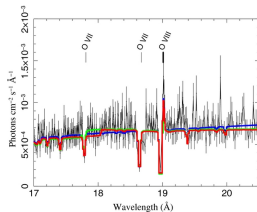
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- 3 ionization parameter:

$$\xi_0 = \frac{L_{ion}}{n_0 R^2}$$

- 4 X-ray atomic data !!!
- 5 energy balance:

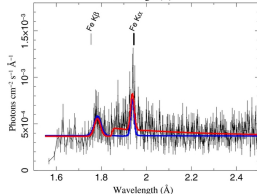
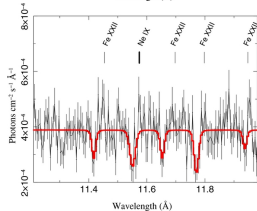
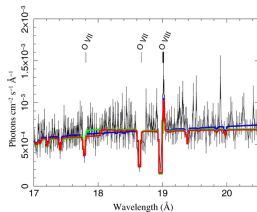
$$\Gamma_{bb} + \Gamma_{bf} + \Gamma_{ff} = \Lambda_{bb} + \Lambda_{bf} + \Lambda_{ff}$$



## One photoionization component

- 1 continuity equation:  
 $n = \text{const}, \xi = \text{const}, v = 0$
- 2 all codes -  $T, N_{\text{tot}}, \xi, \text{EWs}$



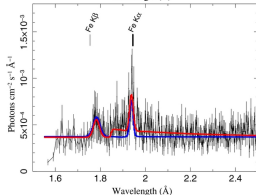
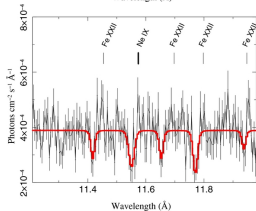
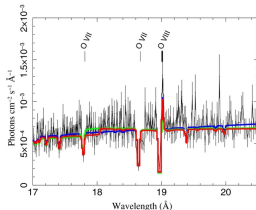


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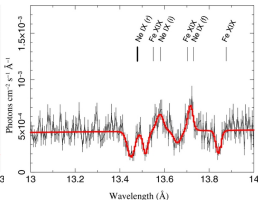
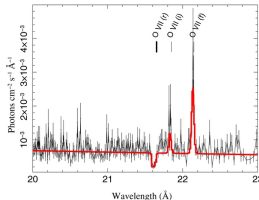
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 $n = \text{const}, \xi = \text{const}, v = 0$
- 2 all codes -  $T, N_{\text{tot}}, \xi, \text{EWs}$
- 3 location does not depend on gravity of the central BH
- 4 three components:  
 $\log(\xi) = 4.5, 3.3, 1.0$   
 $v = -580, -450, -310 \text{ km/s}$



### NGC 4051, King + 10



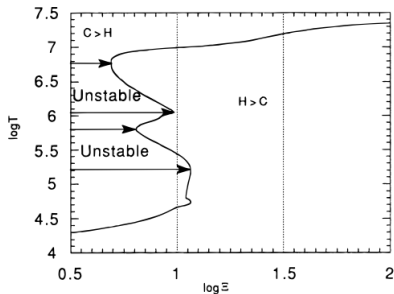




# Dynamical ionization parameter

$$\Xi = \frac{\xi}{4\pi ckT} = \frac{L_{ion}}{4\pi cR^2} \frac{1}{nkT} = \frac{P_{rad}}{P_{gas}} = \frac{P_{rad}}{2.3 P_{gas,H}}, \quad \text{Krolik + 1981}$$

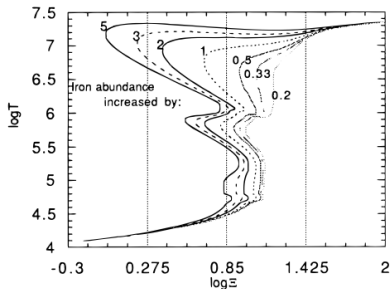
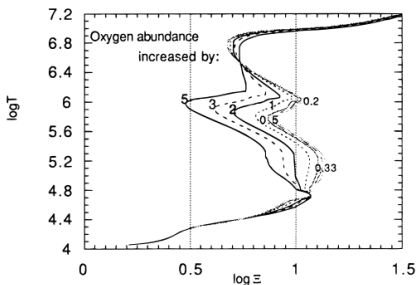
Hess + 1997, Stability curve,



# Dynamical ionization parameter

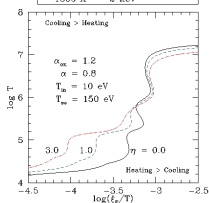
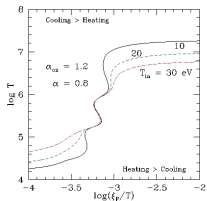
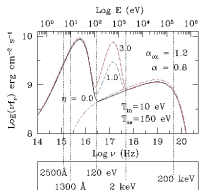
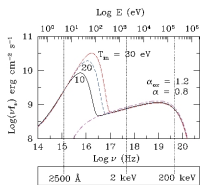
$$\Xi \equiv \frac{\xi}{4\pi ckT} = \frac{L_{ion}}{4\pi CR^2} \frac{1}{nkT} = \frac{P_{rad}}{P_{gas}} = \frac{P_{rad}}{2.3 P_{gas,H}}, \quad \text{Krolik + 1981}$$

Hess + 1997, Stability curve, Influence of abundances



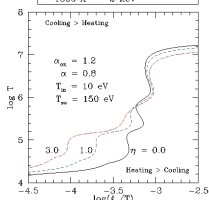
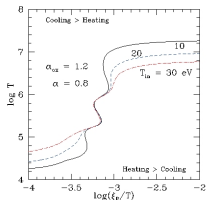
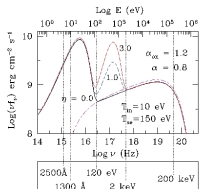
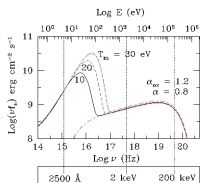
# Stability curve

## Chakravorty + 12, Different SEDs

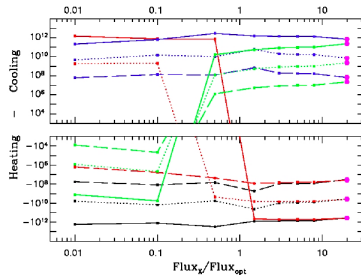


# Stability curve

Chakravorty + 12, Different SEDs



Rózańska + 08



Net bound-free (Ion. - Rec.)

Net free-free (H - C)

Net Compton (H - C)

Net bound-bound (H - C) LINES

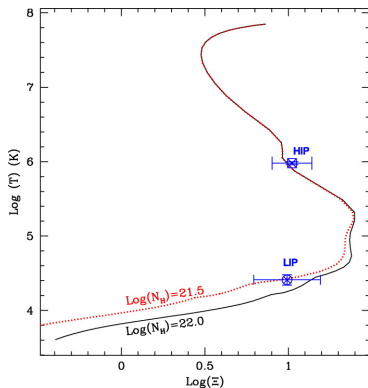
solid line -  $n = 10^{10} \text{ cm}^{-2}$   
dotted line -  $n = 10^8 \text{ cm}^{-2}$   
dashed line -  $n = 10^6 \text{ cm}^{-2}$



## Stability curve

One constant density component has constant  $\xi$ , and it occurs as the one point on the stability curve:

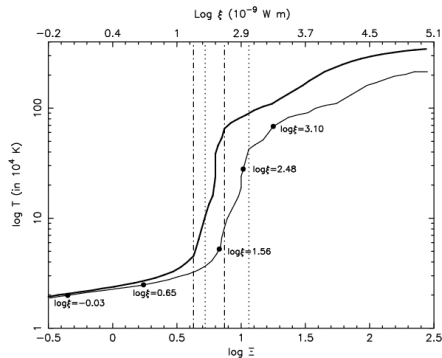
**NGC 3783**, Krongold + 03



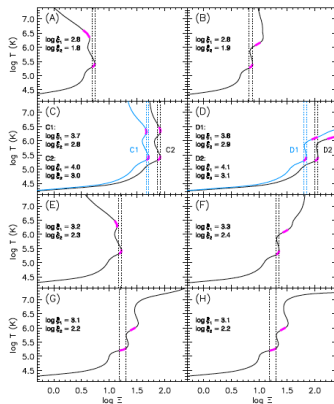
# Stability curve

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NGC 5548, Steenbrugge + 05



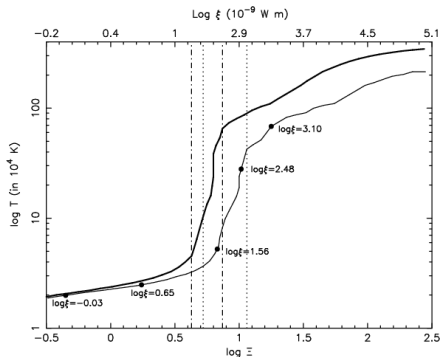
ESO 113-G010, Mehdipour + 12



## Stability curve

One constant density component has constant  $\xi$ , and it occurs as the one point on the stability curve:

$$\Xi = \frac{L_{ion}}{4\pi cR^2} \frac{1}{nkT} = \frac{P_{rad}}{P_{gas}}$$

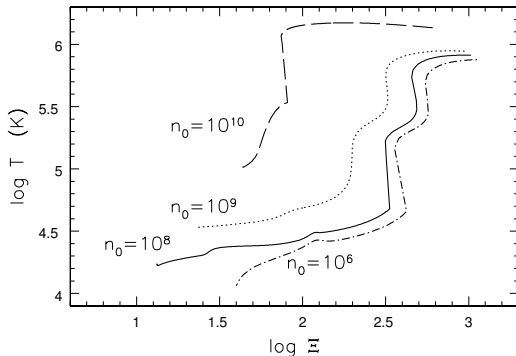


## Stability curve

An absorber under constant total pressure,  $P_{tot} = P_{rad} + P_{gas}$ , solves the pressure structure:  $P_{rad}(\tau)$  and  $P_{gas}(\tau)$ , and the whole stability curve is computed:

$$\Xi = \frac{P_{rad}(\tau)}{P_{gas}(\tau)}$$

**HS 1603+3820**  
Rózańska + 12



# Equivalent Hydrogen column densities, ion by ion

## NGC 5548, Steenbrugge + 05

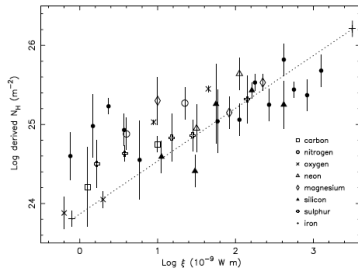


Fig. 11. The total hydrogen column density  $N_{\text{H}}$ , assuming solar abundances (Anders & Grevesse 1989) derived using Eq. (3), plotted versus ionization parameter. The ionic column densities were taken from Tables 4 and A.1 assuming a velocity broadening of  $140 \text{ km s}^{-1}$ . For clarity, no upper limits have been plotted. The best fit results for model D are plotted as the two crosses connected by a dotted line.

## Mrk 273, Costantini + 07

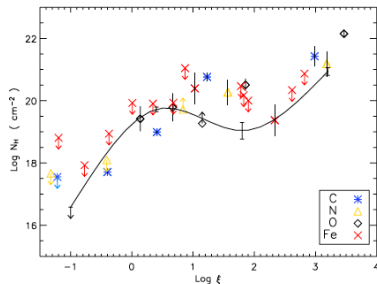


Fig. 10. The hydrogen column density as a function of the ionization parameter determined for: single ions (individual points) and an  $N_{\text{H}}$  continuous distribution model (solid line). See Sect. 2.4.2 for a full description.

## Equivalent Hydrogen column densities, ion by ion

Holczer + 07

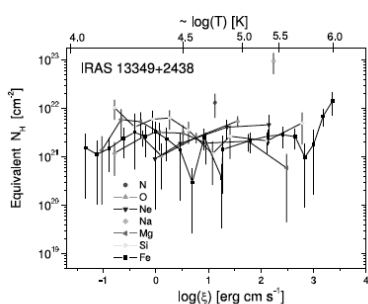


FIG. 4.—Equivalent  $N_{\text{H}}$  distribution (eq. [8]) obtained for the IRAS 13349+2438 outflow, assuming that ions form at  $\xi_{\text{max}}$  and assuming solar abundances (Asplund et al. 2005). Lines are drawn between data points to guide the eye. Vertical offsets between elements indicate deviations from solar abundances. The corresponding temperature scale obtained from the XSTAR computation is shown at the top of the figure. [See the electronic edition of the Journal for a color version of this figure.]

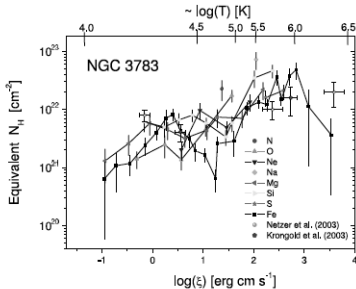


FIG. 6.—Equivalent  $N_{\text{H}}$  distribution (eq. [8]) obtained for the NGC 3783 outflow, assuming that ions form at  $\xi_{\text{max}}$  and assuming solar abundances (Asplund et al. 2005). Lines are drawn between data points to guide the eye. Vertical offsets between elements indicate deviations from solar abundances. The corresponding temperature scale obtained from the XSTAR computation is shown at the top of the figure. The Netzer et al. (2003) three-component model results and the Krongold et al. (2003) two-component model results are plotted for comparison. [See the electronic edition of the Journal for a color version of this figure.]

# Structure of the warm absorber

AMD is:  $\xi \frac{dN_H}{d\xi}$  vs.  $\log(\xi)$

Holczer + 07

## 5. ABSORPTION MEASURE DISTRIBUTION

### 5.1. Method

The large range of ionization states present in the absorber strongly suggests that the absorption arises from gas that is distributed over a wide range of ionization parameters. The total hydrogen column density  $N_H$  along the line of sight can therefore be expressed as an integral over its distribution in  $\log \xi$ . We call this continuous distribution the absorption measure distribution (by analogy to the emission measure distribution in emission-line spectra):

$$\text{AMD} = dN_H/d(\log \xi), \quad (5)$$

$$N_H = \int \text{AMD} d(\log \xi). \quad (6)$$

The relation between the ionic column densities  $N_{\text{ion}}$  and the AMD is then expressed as

$$N_{\text{ion}} = A_z \int \frac{dN_H}{d(\log \xi)} f_{\text{ion}}(\log \xi) d(\log \xi), \quad (7)$$

where  $N_{\text{ion}}$  is the measured ion column density,  $A_z$  is the element abundance with respect to hydrogen (assumed to be constant throughout the absorber), and  $f_{\text{ion}}(\log \xi)$  is the fractional ion abundance with respect to the total abundance of its element. Here we aim at recovering the AMD for IRAS 13349+2438.

As an initial approximation to be relaxed later, let us assume that each ion forms exclusively at the ionization parameter  $\xi_{\text{max}}$  where its fractional abundance peaks. Furthermore, if solar abundances  $A_{Z\odot}$  are assumed, the equivalent hydrogen column density can be calculated separately from each ion using the relation

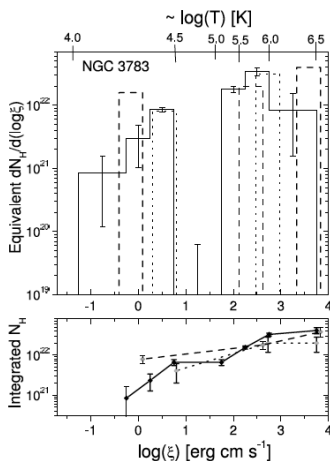
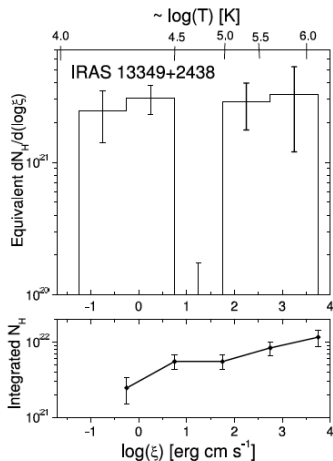
$$N_H \simeq \frac{N_{\text{ion}}}{f_{\text{ion}}(\xi_{\text{max}}) A_{Z\odot}} \quad (8)$$

and can be placed at the position of  $\xi_{\text{max}}$  on an  $N_H(\log \xi)$  plot. For this we employed the XSTAR code (Kallman & Krolik 1995) version 2.1kn3 to calculate  $f_{\text{ion}}(\log \xi)$  using the continuum derived in § 3.1, extrapolated to the range of 1–1000 ryd. The results for IRAS 13349+2438, using solar abundances from

# Structure of the warm absorber

## Absorption Measure Distribution - constant density

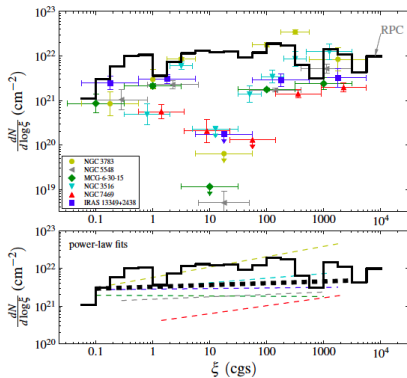
Holczer + 07



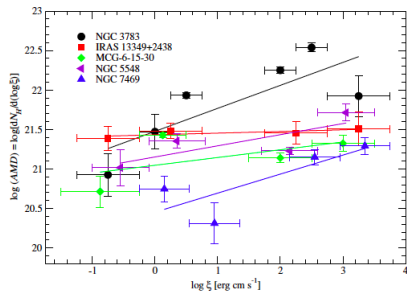


# Observed AMD

Stern + 14

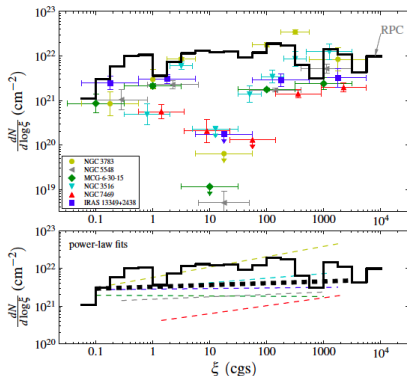


Behar + 09



# Observed AMD

Stern + 14



## Radiation Pressure Confinement

$$dP_{\text{gas}}(\tau) = P_{\text{rad}} e^{-\tau} d\tau$$

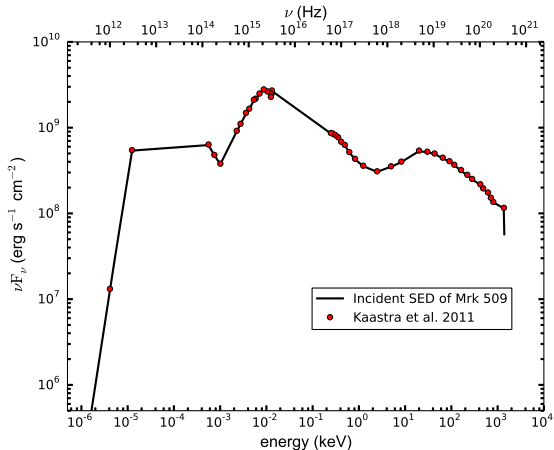
**CLOUDY**

computations under  
constant pressure:

$$P_{\text{gas}}(\tau = 0) = \text{const}$$

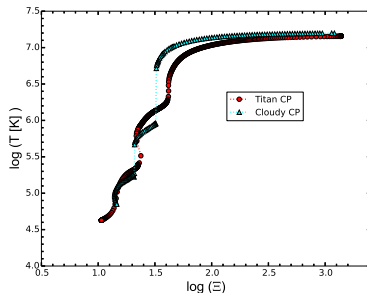
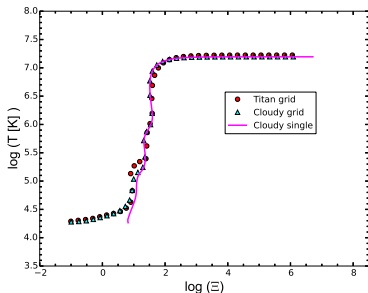
# Modelled AMD

Mrk 509, Adhikari + 15, submitted to ApJ



# Modelled AMD

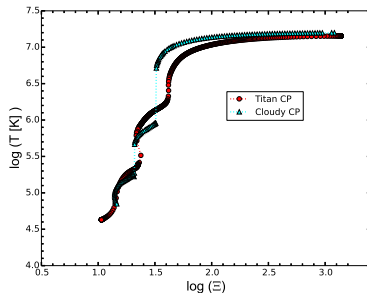
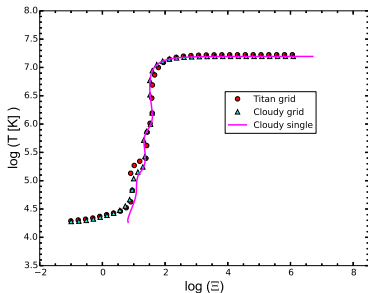
Stability curves computed by **TITAN** and **CLOUDY**



**CLOUDY:**  $\Xi = \frac{L_{ion}}{4\pi cR^2} \frac{1}{nkT}$

## Modelled AMD

Stability curves computed by **TITAN** and **CLOUDY**

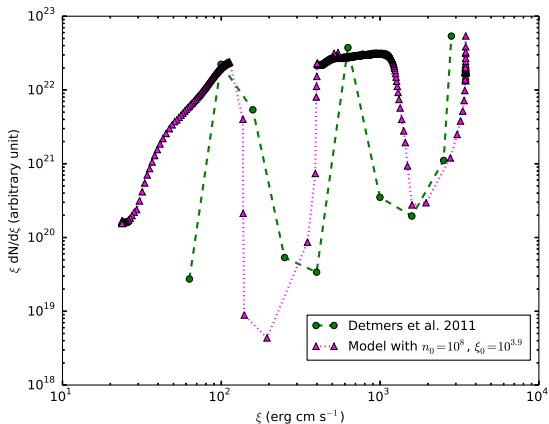


**CLOUDY:**  $\Xi = \frac{L_{ion}}{4\pi cR^2} \frac{1}{nkT}$

**TITAN:**  $\Xi = \frac{P_{rad}(\tau)}{P_{gas}(\tau)}$

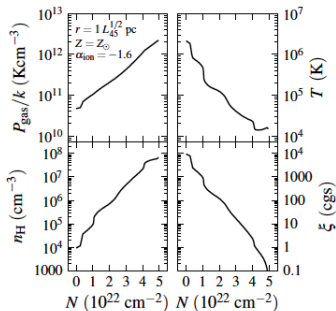
## Modelled AMD

Mrk509, Adhikari + 15, submitted to ApJ

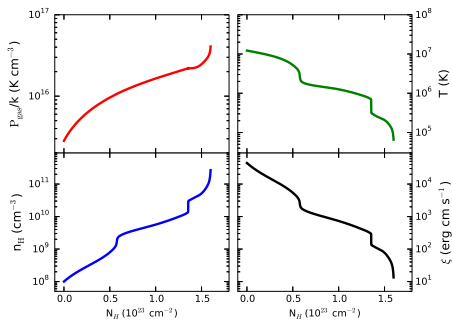


# Modelled AMD

Stern + 14, Mean AGN SED



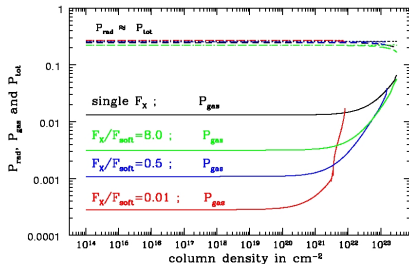
Adhikari + 15, SED for Mrk 509



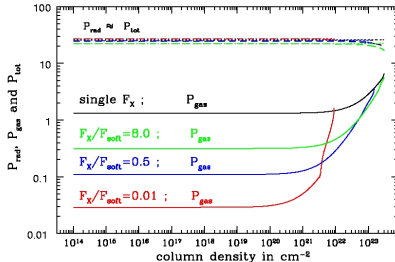
## Radiation Pressure

Mrk509, Róžańska + 08,

All clouds are dominated by radiation pressure



$$n_0 = 10^6 \text{ cm}^{-3}, \quad \xi = 10^5$$



$$n_0 = 10^8 \text{ cm}^{-3}, \quad \xi = 10^5$$



## Conclusions

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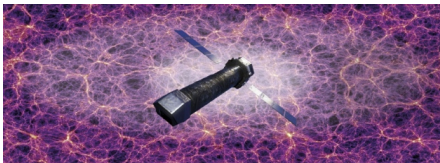
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## Conclusions

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- 4 **TITAN** code reproduces the structure of warm absorber, where ionization parameter is derived from the radiation pressure which decreases due to all absorption non-LTE processes,
- 5 To confirm our results we should consider other sources with known SEDs.

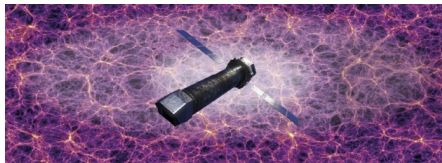
## Summary

- 1 Absorption Measure Distribution give information about the warm absorber structure,



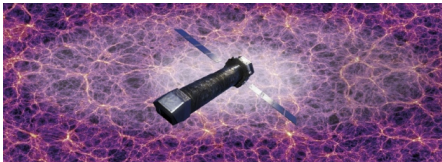
## Summary

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- 1 Absorption Measure Distribution give information about the warm absorber structure,
- 2 The measurement of elements content and ionization provides us with the distribution of metals in the Universe,
- 3 Higher resolution data allows us to detect more ionization species, which will complete the AMD.

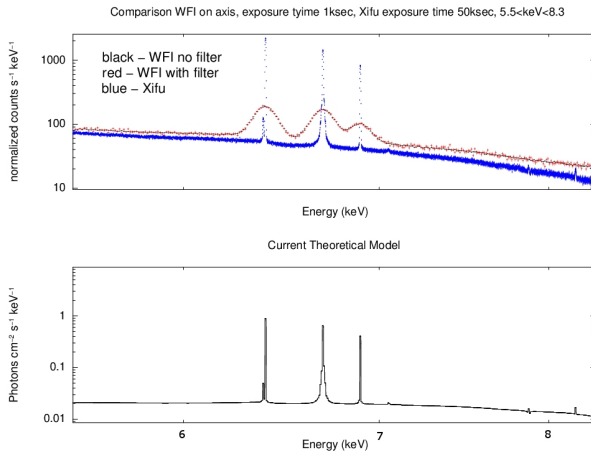




# ATHENA X-ray observatory

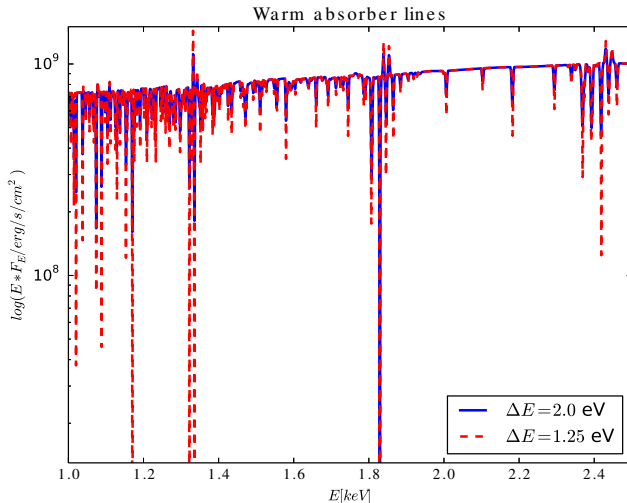
**X-IFU** - X-ray Integral Field Unit,  $\Delta E = 2.5 \text{ eV @ } 1 \text{ keV}$

**WFI** - Wide Field Imager,  $\Delta E = 150 \text{ eV @ } 6 \text{ keV}$



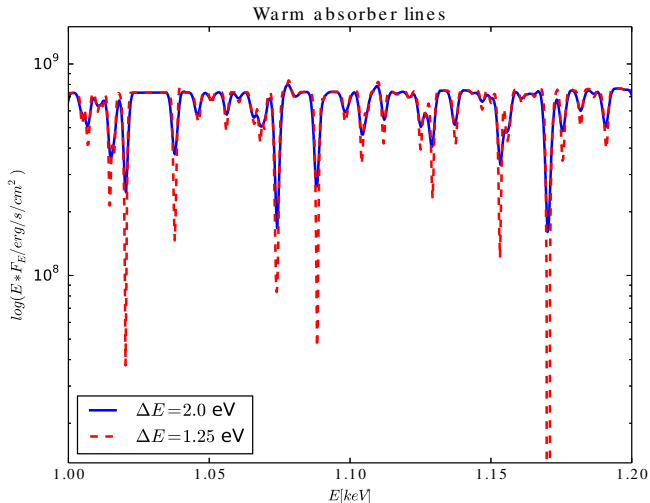
## ATHENA X-ray observatory

Our best fitted AMD model with high energy resolution



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