Unwrapping the Mystery of Common Envelope Episodes

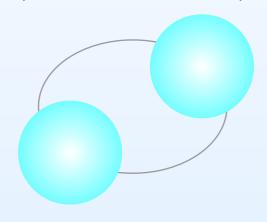
Morgan MacLeod

morganmacleod@ias.edu

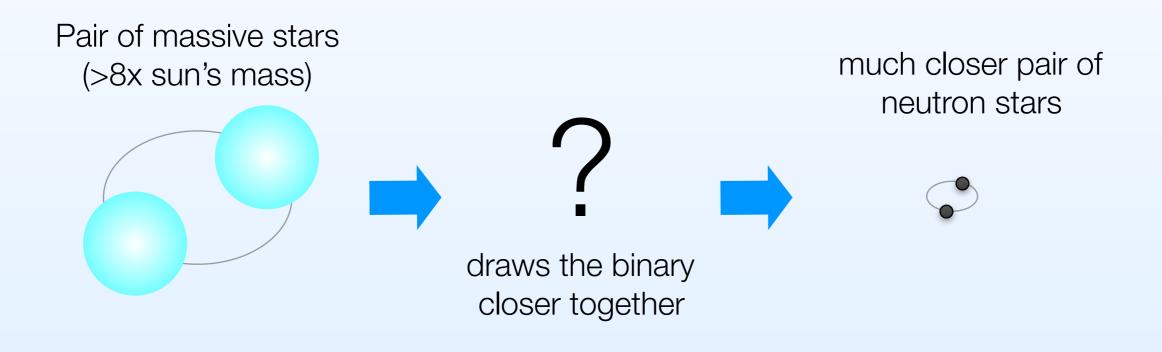
Einstein Fellows Symposium Oct 18, 2016

Example: formation of merging pairs of neutron stars

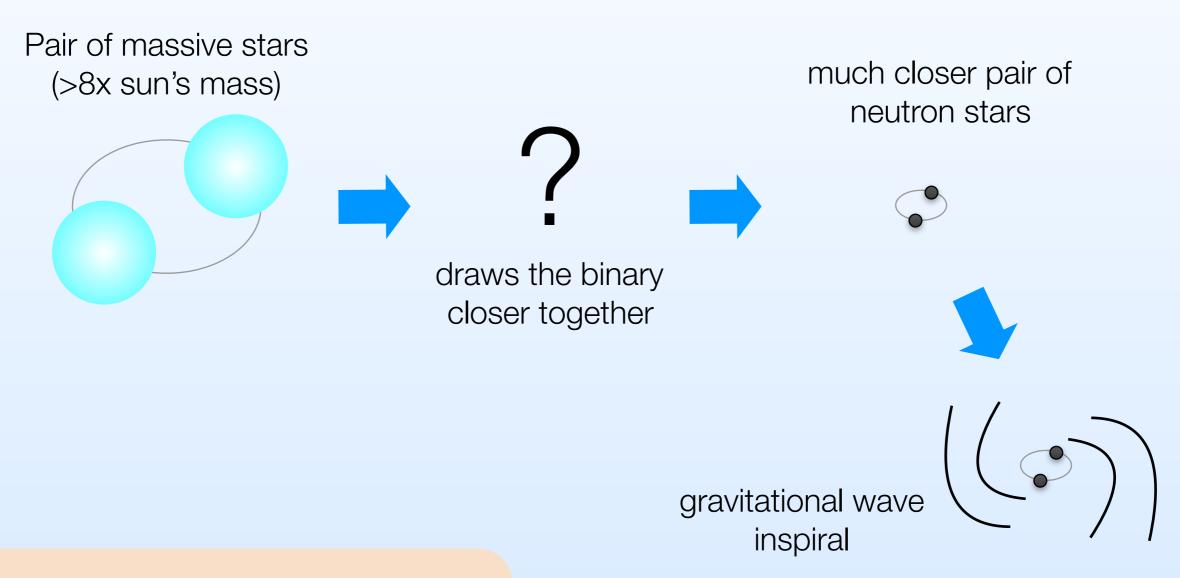
Pair of massive stars (>8x sun's mass)



Example: formation of merging pairs of neutron stars

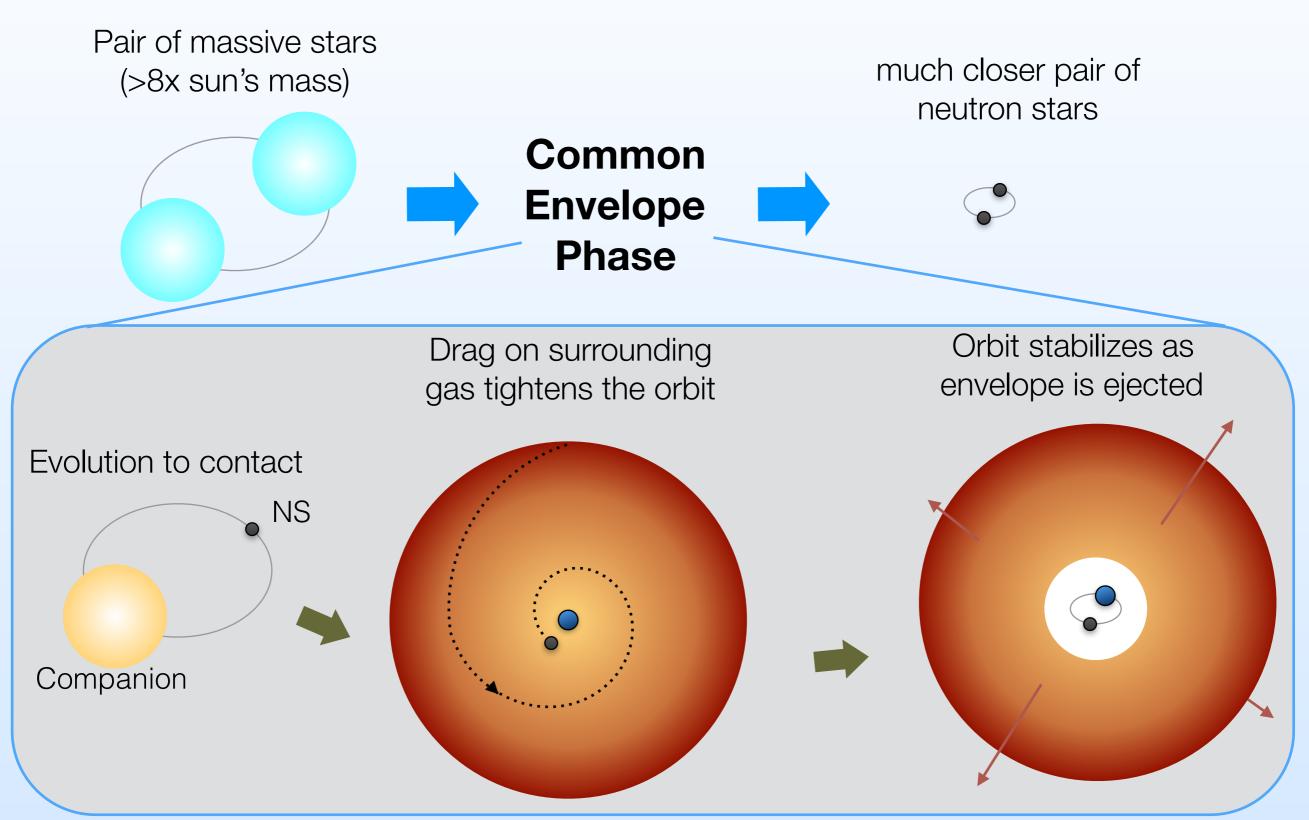


Example: formation of merging pairs of neutron stars



Orbital transformation is key in formation of compact binaries

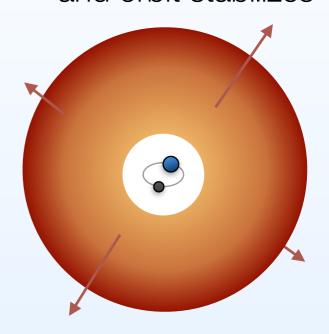
Example: formation of merging pairs of neutron stars



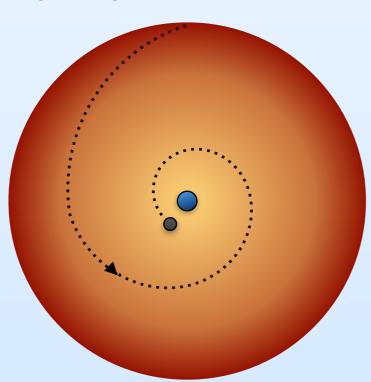
common envelope outcomes: tightened binary or merger

Evolution to contact

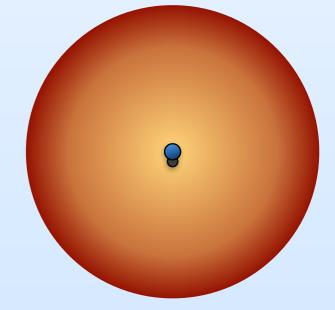
envelope is ejected and orbit stabilizes



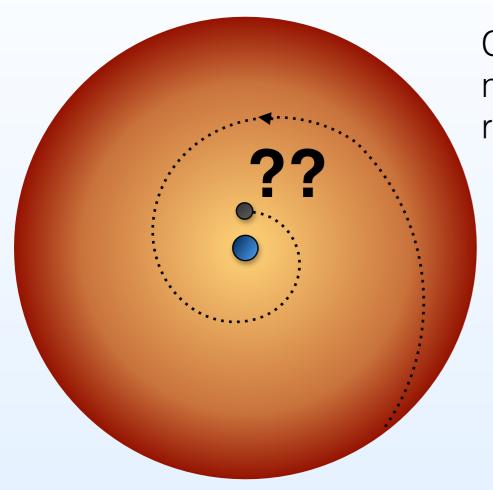
Drag on surrounding gas tightens the orbit



envelope is retained and binary merges

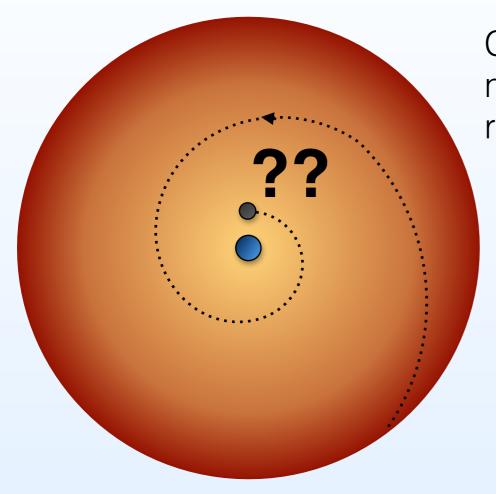


Many open questions...



Challenging problem for "kitchen sink" numerical approach because of the huge range of relevant spatial and temporal scales.

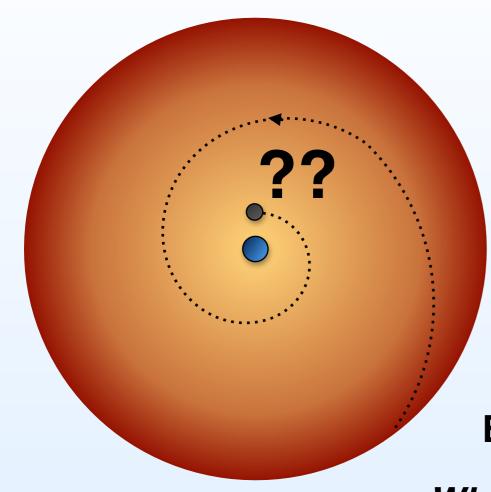
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... and infinite combinations of binary properties!

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Challenging problem for "kitchen sink" numerical approach because of the huge range of relevant spatial and temporal scales.

... and infinite combinations of binary properties!

But, there are some general questions:

- What are the initial conditions of CE episodes?
- How is energy/momentum transfer between embedded object and the gas mediated?
- What is the timescale of envelope ejection?
- How do initial binary parameters map to outcomes?

Two strategies for progress

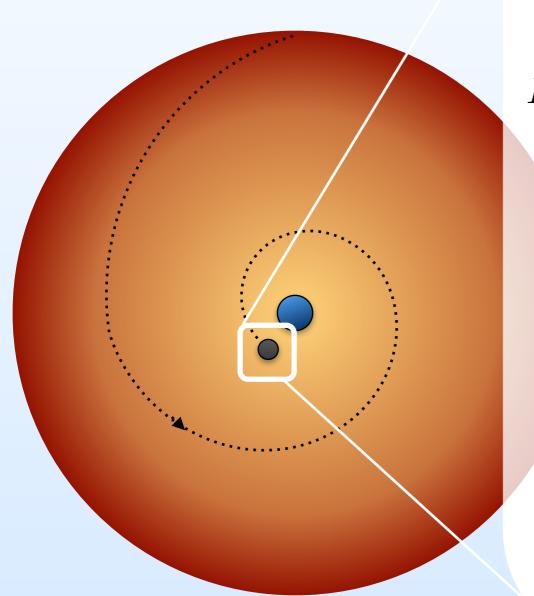
- Gas dynamics of common envelope:
 - goal: isolate and understand aspects of the physics of CE flows

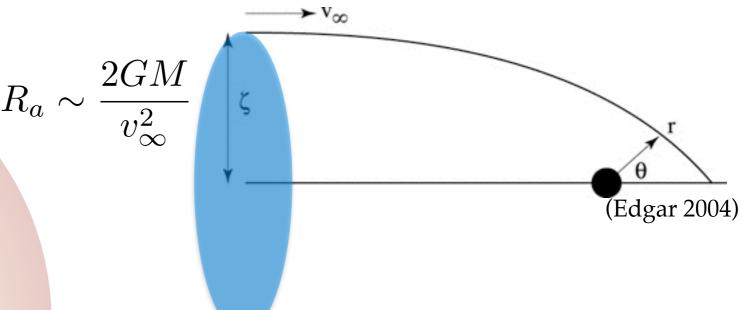
- · Catching common envelope in action:
 - goal: model-to-data comparison to directly constrain long-uncertain theoretical models of CE processes

Hoyle & Lyttleton (1939), Bondi & Hoyle (1944)

In the frame of the orbiting star:

Flow is gravitationally focussed toward the embedded star





...interacts with a "column" of gas with

$$Area = \pi R_a^2$$

THE EFFECT OF INTERSTELLAR MATTER ON CLIMATIC VARIATION

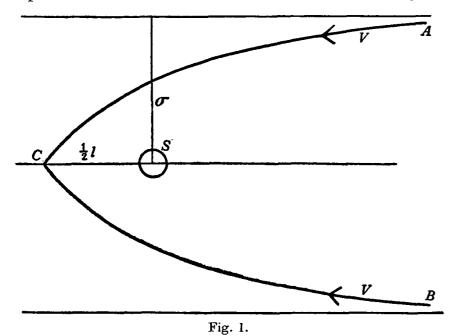
By F. HOYLE AND R. A. LYTTLETON

Received 19 April 1939

1. Introduction

There is direct astronomical evidence for the existence of diffuse clouds of matter in interstellar space. Any section of the Milky Way containing a large number of

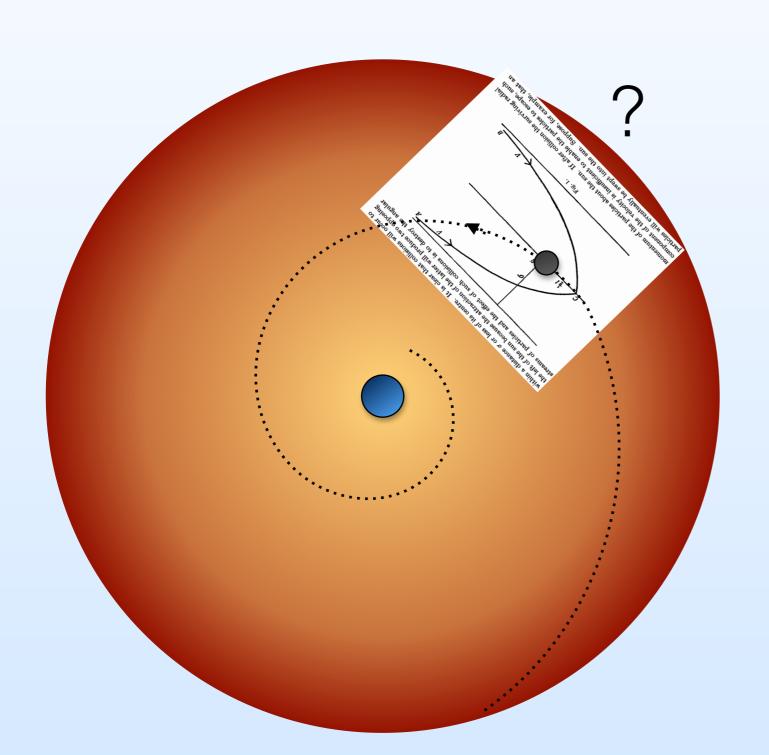
within a distance σ or less of its centre. It is clear that collisions will occur to the left of the sun because the attraction of the latter will produce two opposing streams of particles and the effect of such collisions is to destroy the angular



momentum of the particles about the sun. If after collision the surviving radial component of the velocity is insufficient to enable the particles to escape, such particles will eventually be swept into the sun. Suppose, for example, that an

How the sun gravitationally captures interstellar gas and how this might affect solar system evolution

Express typical flow properties in terms of the dimensionless scales of Hoyle-Lyttleton theory



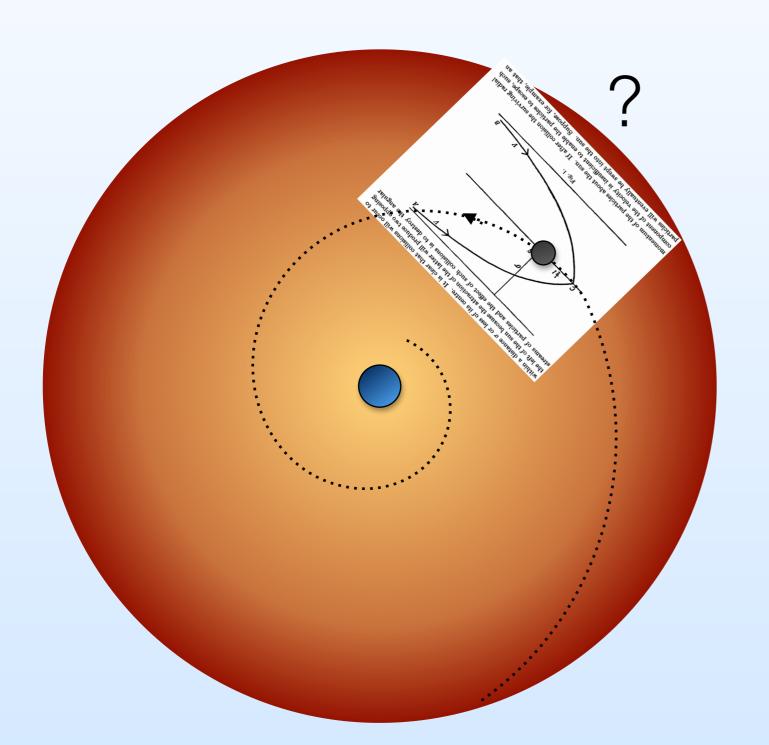
Then simulation results can be applied to any stellar pair:

Length: $R_{\rm a}=2GM/v^2$

Time: $R_{
m a}/v$

Mach number: ${\cal M}=v/c_{
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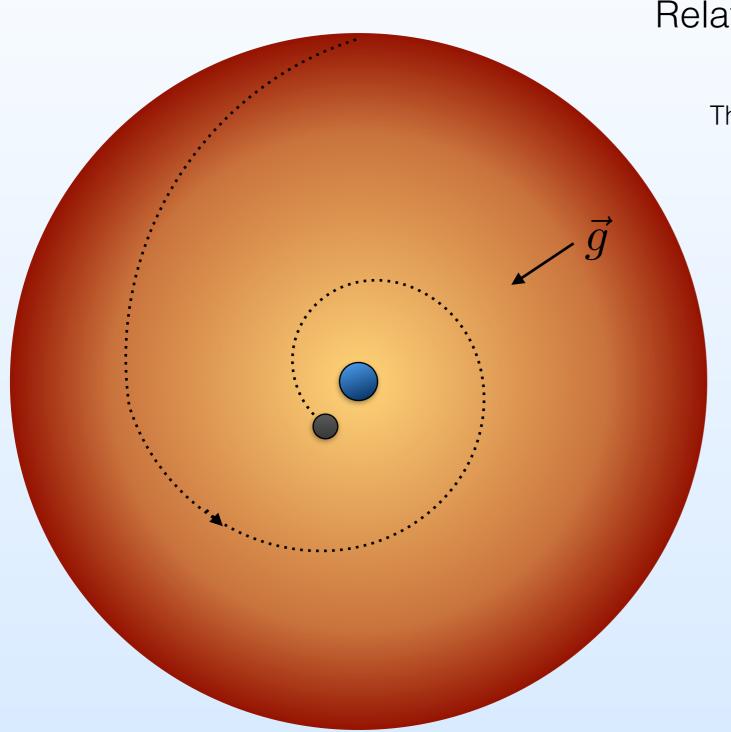
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Time: $R_{
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Density gradient: $\epsilon_{
ho}=R_{
m a}/H_{
ho}$

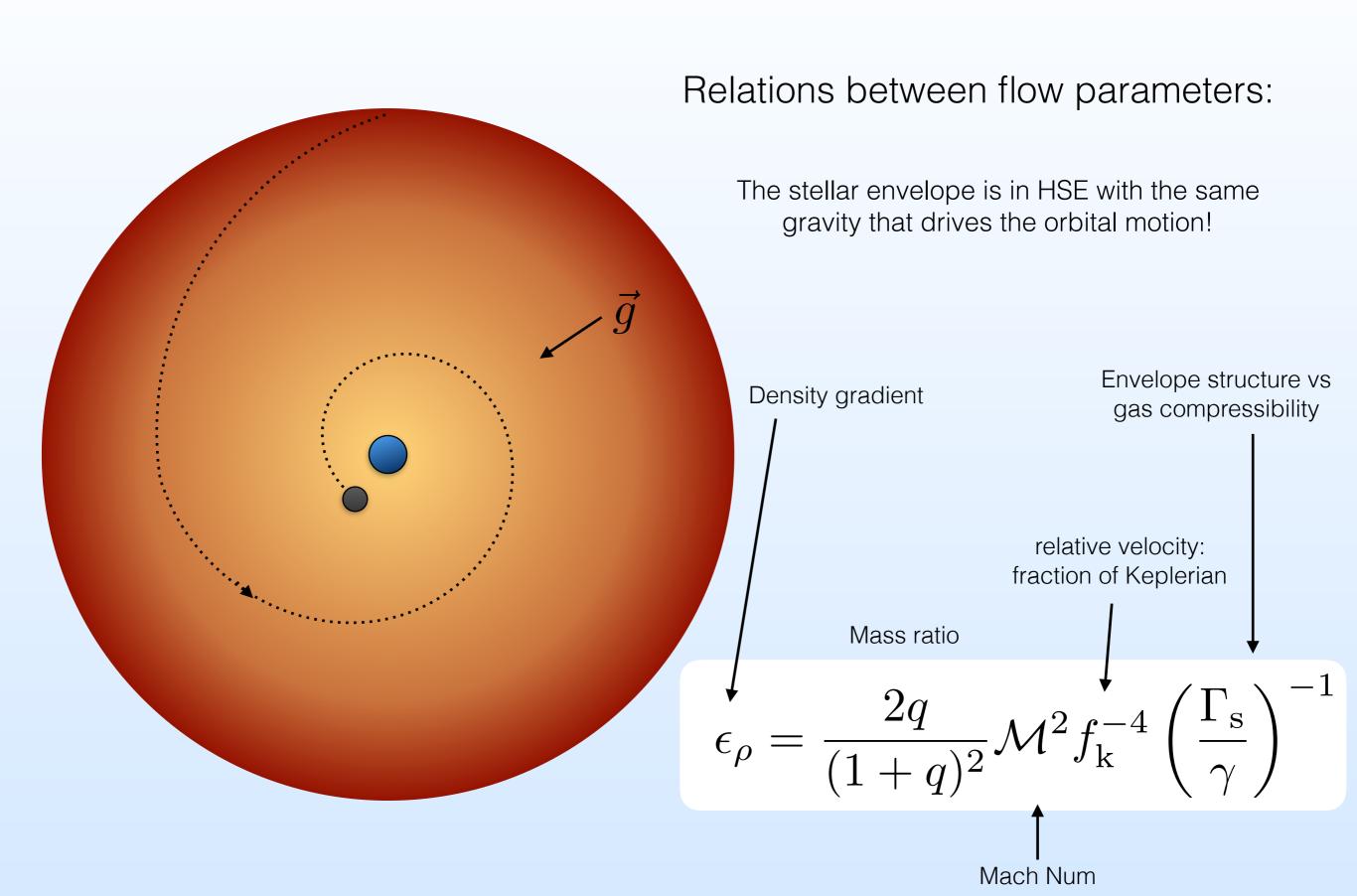
Flow parameters for common envelope inspiral



Relations between flow parameters:

The stellar envelope is in HSE with the same gravity that drives the orbital motion!

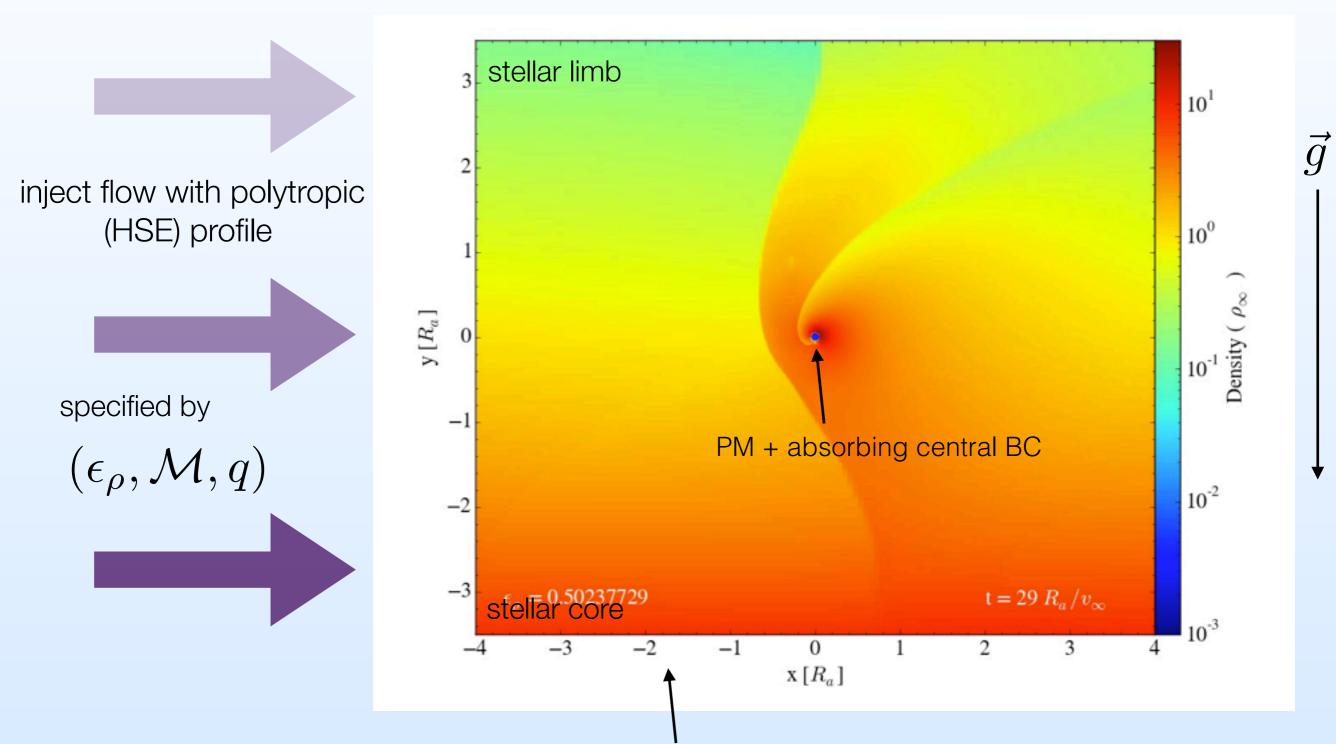
Flow parameters for common envelope inspiral



Common Envelope Wind Tunnel

3D (AMR) calculation in FLASH

Cartesian geometry: "unwrapped" star

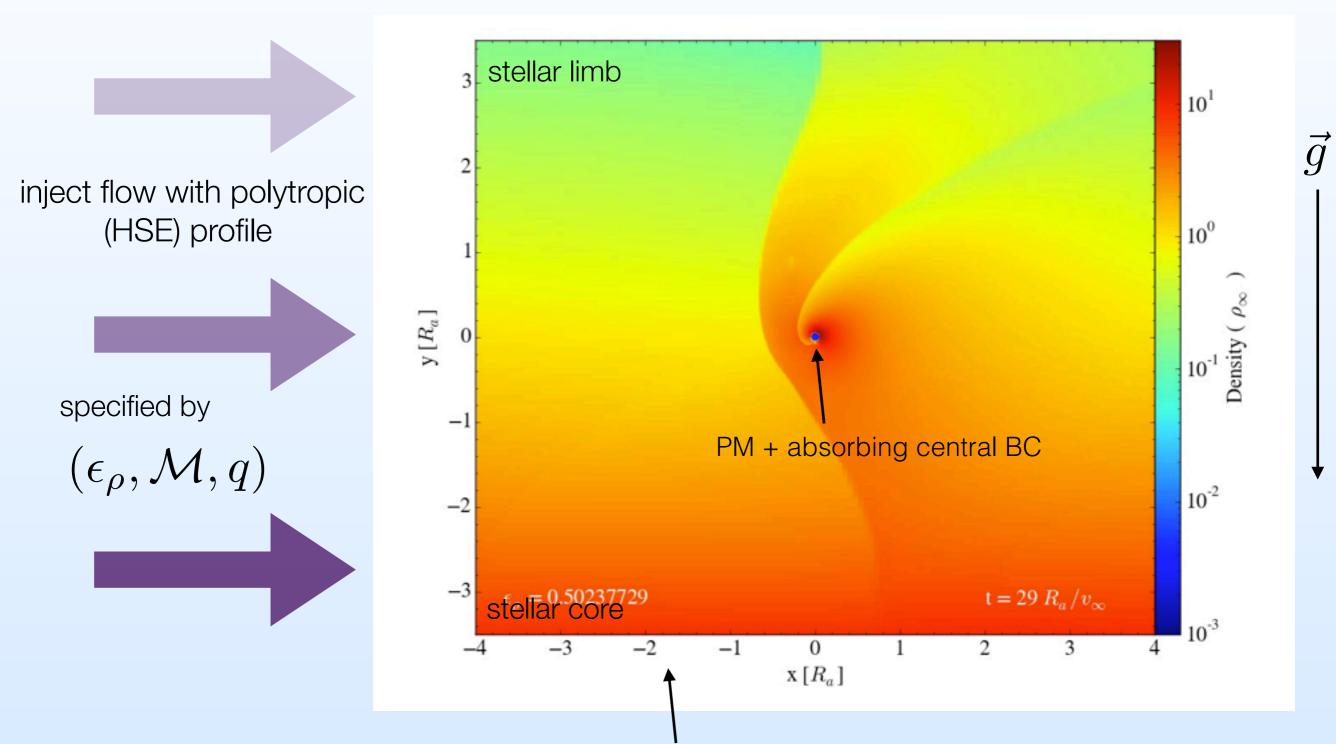


-y boundary enforces HSE

Common Envelope Wind Tunnel

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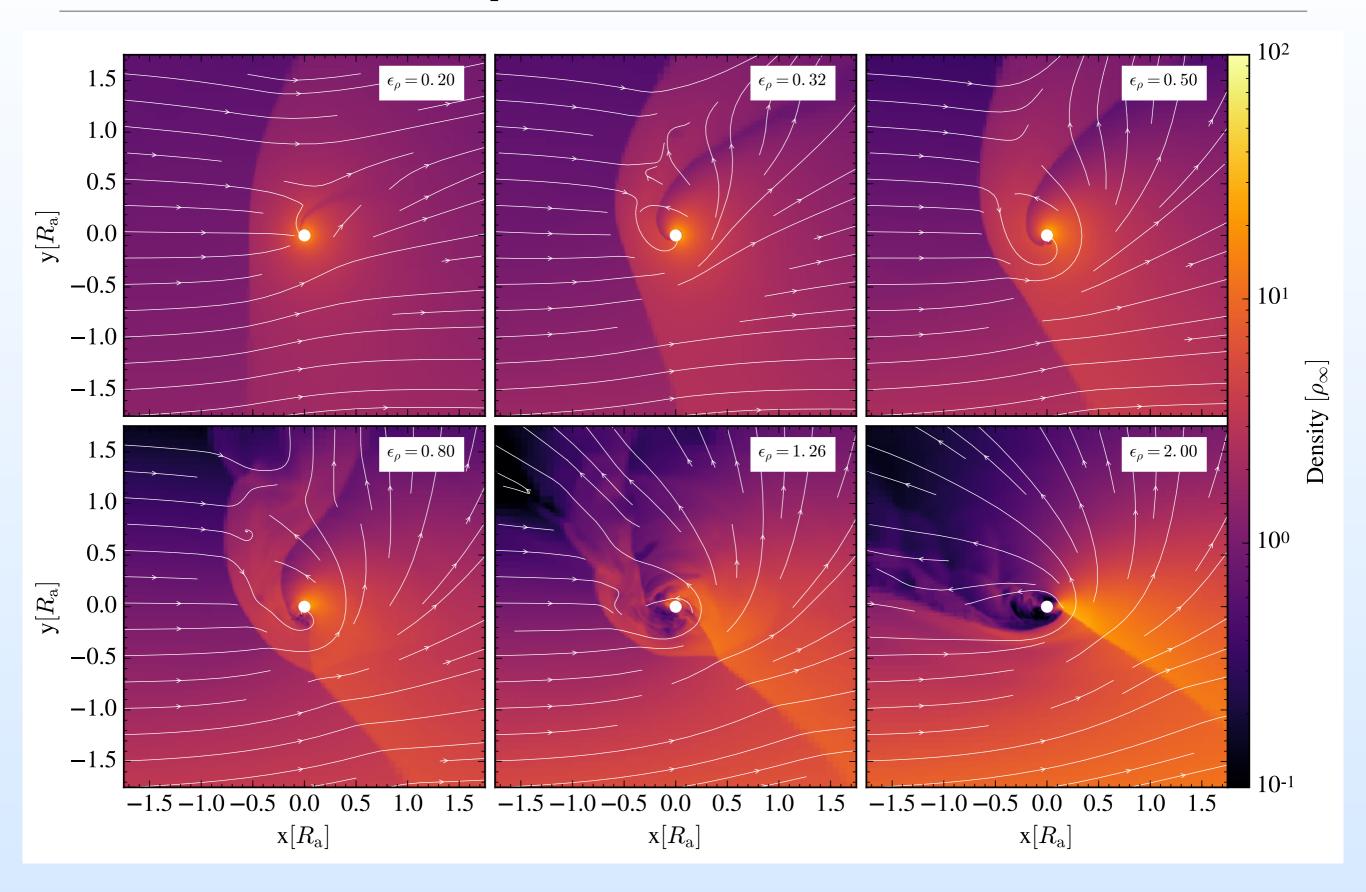
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Common Envelope Wind Tunnel

$$\gamma = \Gamma_{\rm s} = 5/3$$

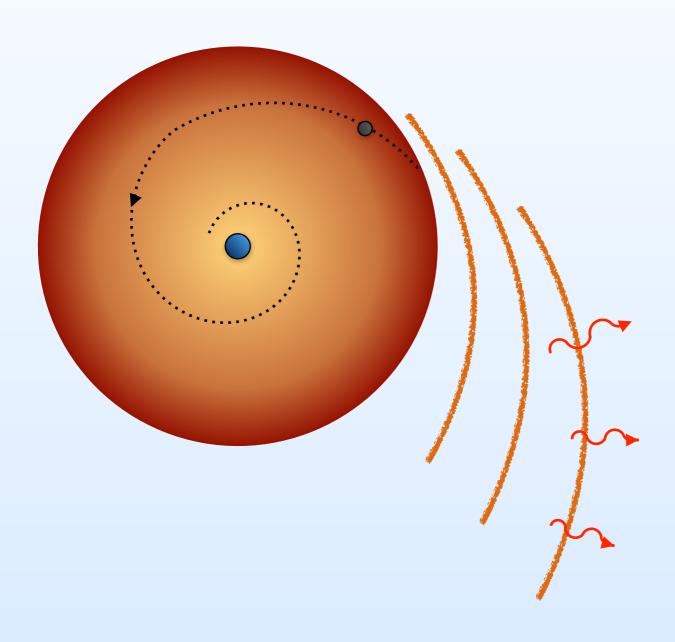


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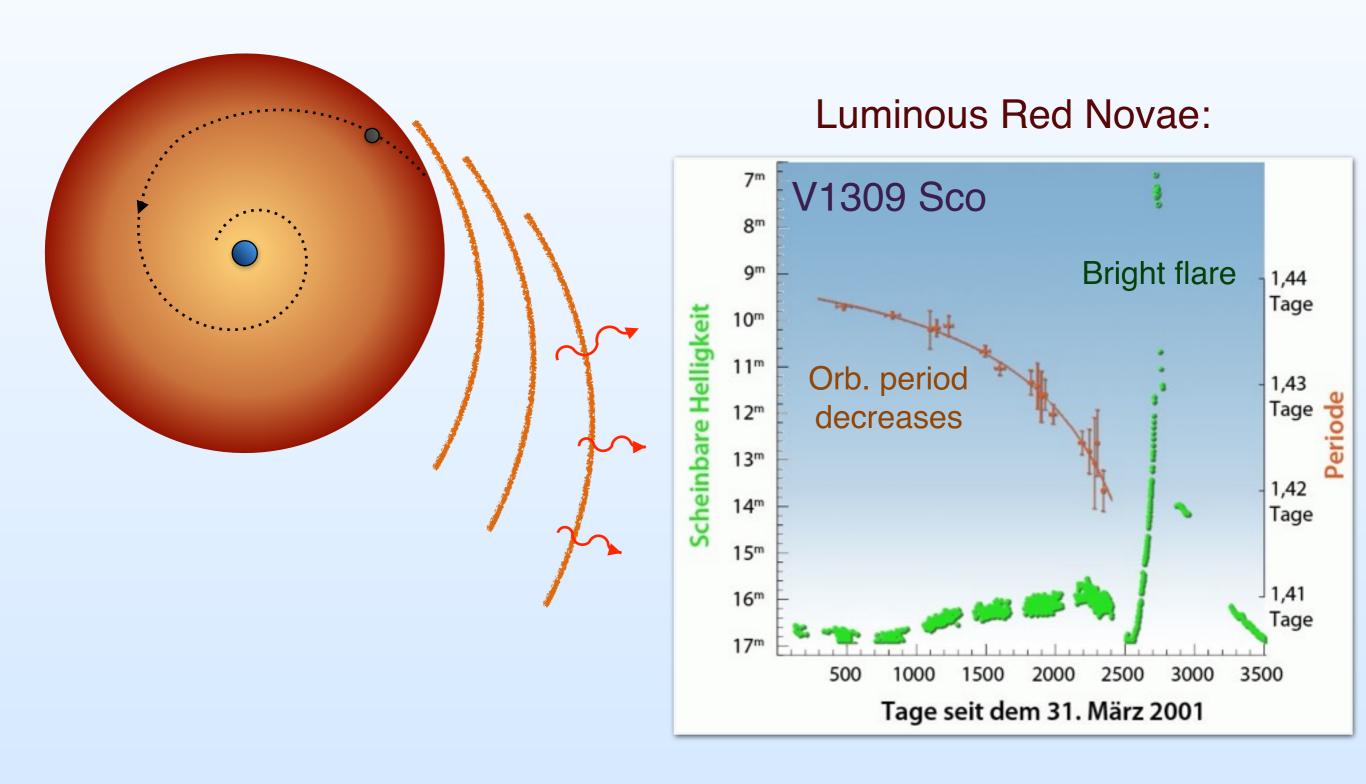
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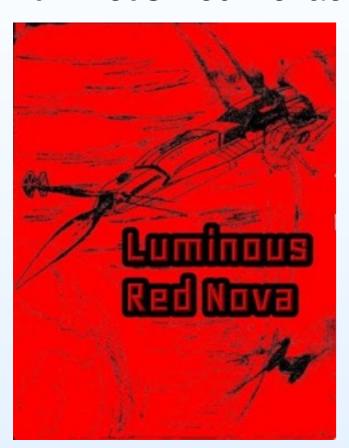
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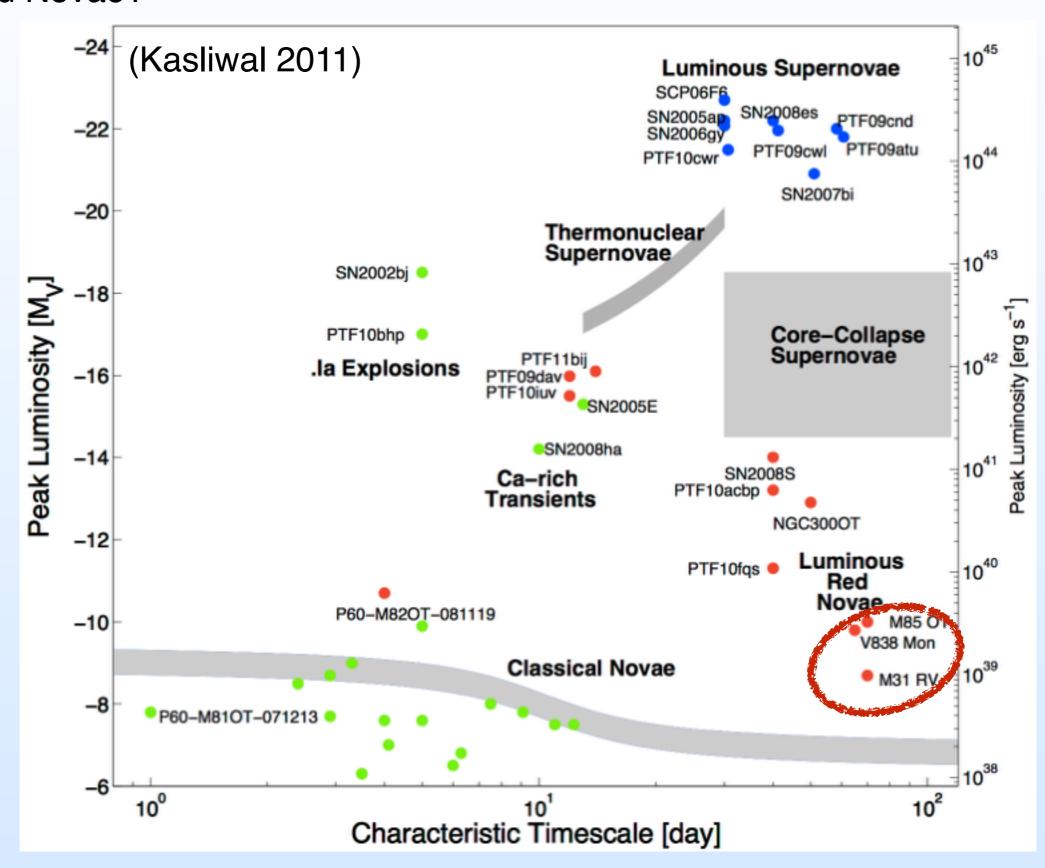
Luminous Red Novae?



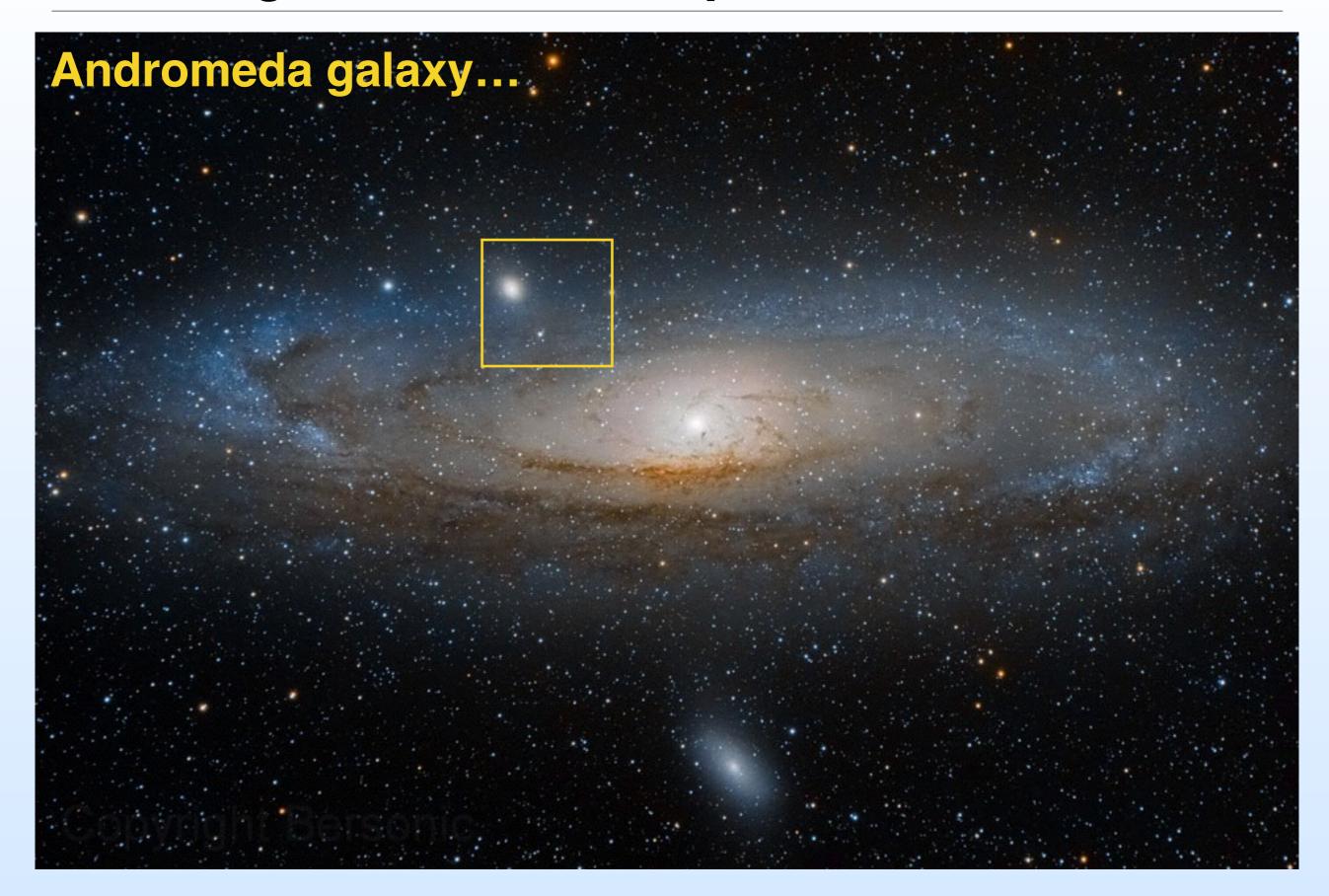
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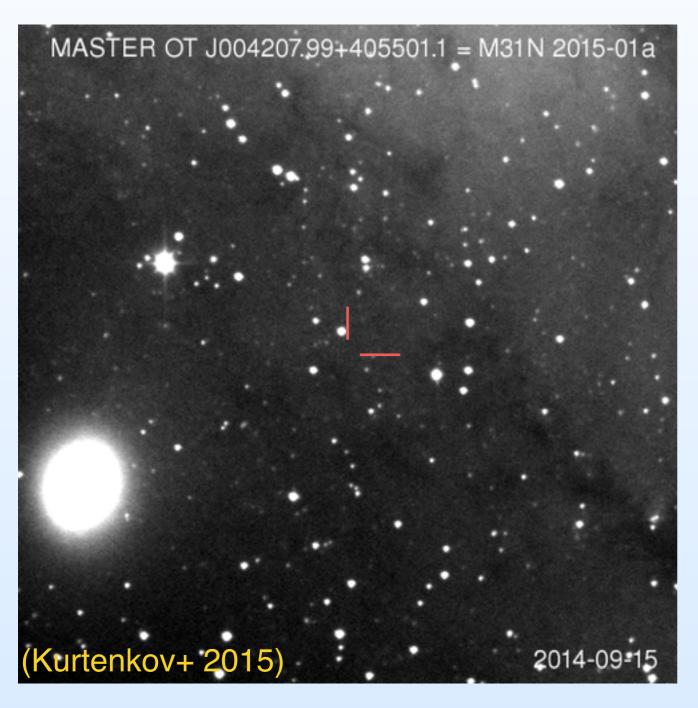
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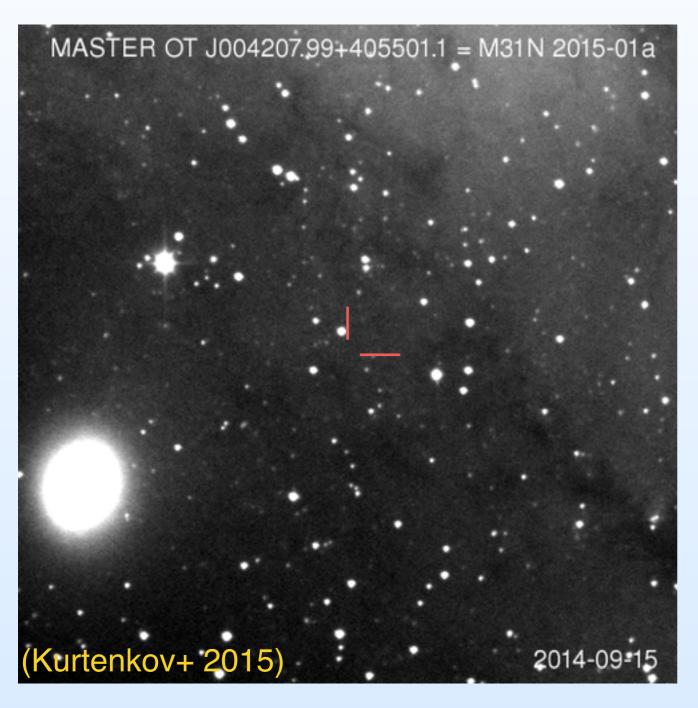


M31 LRN 2015



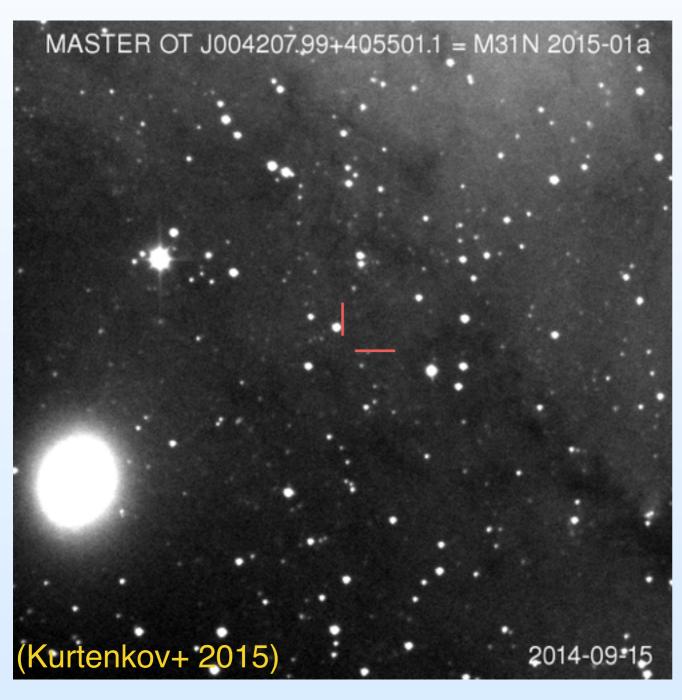
Outburst in Andromeda galaxy in Jan 2015

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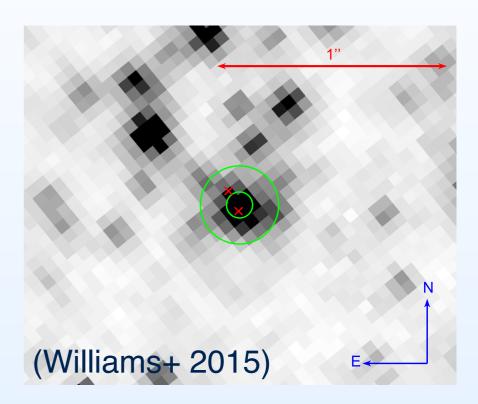


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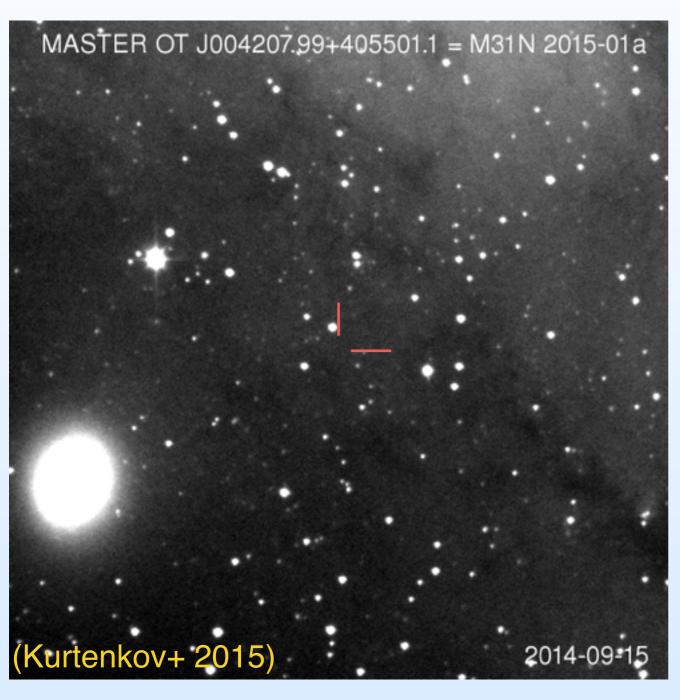


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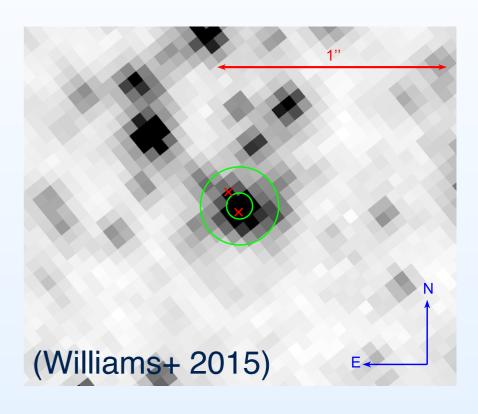


Pre-outburst source in *HST* imaging

M31 LRN 2015



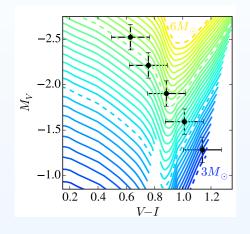
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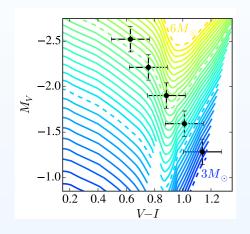






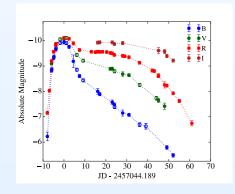
sub-giant primary star growing to point of interaction

$$M_1 \approx 4 - 5M_{\odot}; \quad R_1 \approx 30R_{\odot}$$



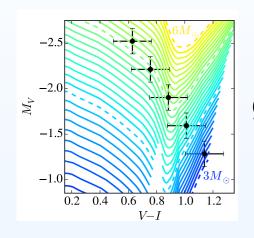
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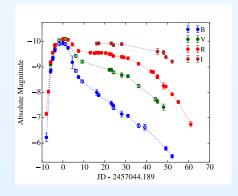
transient rise time similar to orbital period

$$\Delta t_{\rm peak} \sim t_{\rm orb}$$



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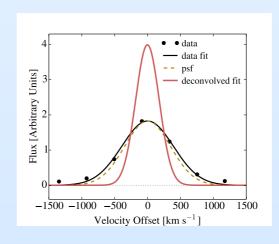


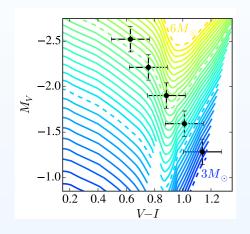
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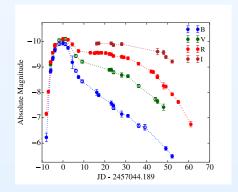
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merger transient:

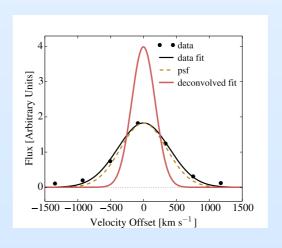
$$E_{\rm rad} \sim 10^{46} {
m erg}$$

 $v_{\rm ej} \sim 400 {
m km s}^{-1}$
 $\Delta t_{\rm peak} \sim 8 {
m d}$
 $\Delta m_{\rm ej} \sim 10^{-2} M_{\odot}$

small fraction of system mass ejected dynamically

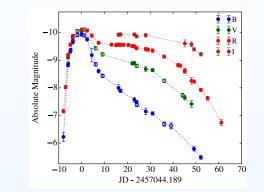
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What can we learn about common envelope?

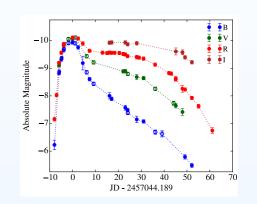
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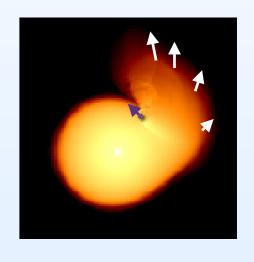


We still have NO IDEA how the details work!!

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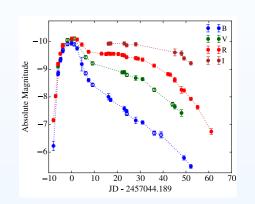
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- We still have NO IDEA how the details work!!
- Catching these events in action constrains the properties of the onset of common envelope.
- As we start to discover binaries merging through the emission of gravitational waves, it's extremely important to understand the **assembly** of these close systems through common envelope phases.

