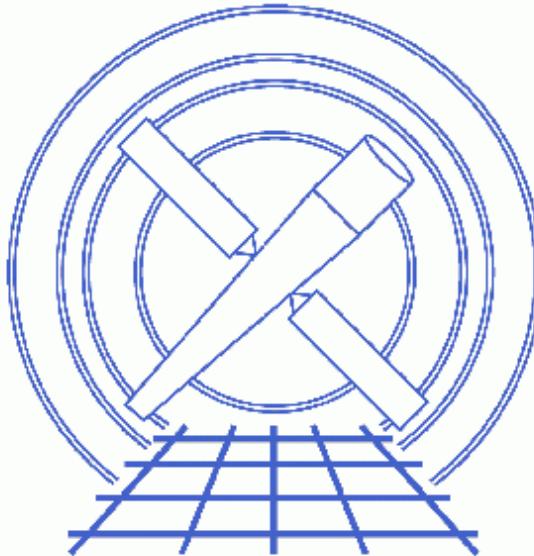


Accessing fit results using S-Lang



Sherpa Threads (CIAO 3.4)

Table of Contents

- [Getting Started](#)
- [Find the best fit](#)
 - ◆ [Set up](#)
 - ◆ [Accessing the FIT results](#)
 - ◆ [Accessing other useful information about the fit](#)
- [Errors on individual parameters \(projection\)](#)
 - ◆ [Set up](#)
 - ◆ [Accessing the PROJECTION results](#)
- [How does the fit surface vary for a parameter \(interval–projection\)](#)
 - ◆ [Set up](#)
 - ◆ [Accessing the INTERVAL–PROJECTION results](#)
- [How are two parameters correlated \(region–projection\)?](#)
 - ◆ [Set up](#)
 - ◆ [Accessing the REGION–PROJECTION results](#)
- [History](#)
- [Images](#)
 - ◆ [Plot of interval–projection results](#)
 - ◆ [Interval–projection results converted to a delta chi squared plot](#)

Accessing fit results using S-Lang

Sherpa Threads

Overview

Last Update: 1 Dec 2006 – reviewed for CIAO 3.4: no changes

Synopsis:

There are many S-Lang routines that can be used to access the fit results returned by *Sherpa*. Here we provide examples of some of the more common ones.

Read this thread if:

You want to access the fit results from *Sherpa*; perhaps to write to a file or use in a plot.

Related Links:

- The [sherpa-module](#) and [get](#) ahelp pages.
- The steps taken in this thread match those taken in the "[Estimating Errors and Confidence Levels](#)" and "[Step-by-Step Guide to Estimating Errors and Confidence Levels](#)" threads.

Proceed to the [HTML](#) or hardcopy (PDF: A4 /letter) version of the thread.

Getting Started

In this thread we repeat the steps taken in the two "Estimating Errors and Confidence Levels" threads – the [version using the routines from paramest.s1](#) and the [version using the native Sherpa interface](#) to the routines – and then show how the S-Lang functions in the *Sherpa* module can be used to access the fit results. Please see the above threads for a description of the various steps (here we use the "native" interface to the error calculations rather than the functions provided by `paramest.s1`).

The thread assumes that you are running the commands from the *Sherpa* shell; however, they will also work in a S-Lang script executed by `slsh` if you import *Sherpa* – i.e. `import ("sherpa") ;` – before using any of the commands.

Find the best fit

Set up

Here we load in a dataset into *Sherpa*, set up the source model, and fit it (neglecting the background component).

```

sherpa> erase all
sherpa> data source grouped pi.fits
The inferred file type is PHA. If this is not what you want, please
specify the type explicitly in the data command.
WARNING: statistical errors specified in the PHA file.
These are currently IGNORED. To use them, type:
  READ ERRORS "<filename>[cols CHANNEL,STAT_ERR]" fitsbin
RMF is being input from:
  /data/ciao/rmf.fits
ARF is being input from:
  /data/ciao/arf.fits
sherpa> ignore energy :0.5,8:
sherpa> show method
Optimization Method: Levenberg-Marquardt

      Name          Value        Min        Max           Description
      ----          ----        ---        ---           -----
 1  iters          2000          1       10000  Maximum number of iterations
 2  eps            1e-03        1e-09         1  Absolute accuracy
 3  smplx          0             0             1  Refine fit with simplex (0=no)
 4  smplxep         1           1e-04        1000  Switch-to-simplex eps factor
 5  smplxit         3             1            20  Switch-to-simplex iters factor

sherpa> show statistic
Statistic:          Chi-Squared Gehrels
sherpa> source = xswabs[abs] * powlaw1d[p1]
abs.nH parameter value [0.1]
p1.gamma parameter value [1]
p1.ref parameter value [4]
p1.ampl parameter value [0.000149261]
sherpa> fit
LVMQT: V2.0
LVMQT: initial statistic value = 4583.05
LVMQT: final statistic value = 83.2873 at iteration 6
      abs.nH  2.4061 10^22/cm^2
      p1.gamma  1.51851
      p1.ampl  0.000241434
```

Since we are using a chi-square statistic we can get an idea of how well the model fits using the [GOODNESS](#) command:

```

sherpa> goodness
Goodness: computed with Chi-Squared Gehrels

DataSet 1: 131 data points -- 128 degrees of freedom.
  Statistic value      = 83.2873
  Probability [Q-value] = 0.999225
  Reduced statistic     = 0.650682
```

Accessing the FIT results

The best-fit parameter values are displayed at the end of the fit – as shown above – but can also be displayed using the `list_par` command:

```
sherpa> list_par
#           Name  Type      Value  Lnk  Frz      Min      Max      Delta
1          abs.nH  src     2.4061    0    0   1e-07     10      -1
2          p1.gamma  src    1.5185    0    0    -10      10      -1
3          p1.ref   src      4    0    1       1    7.4971      -1
4          p1.ampl  src   0.00024143   0    0  1.4926e-06   0.014926      -1
5 AutoReadResponse.rmf inst "/data/ciao/rmf.fits"
6 AutoReadResponse.arf inst "/data/ciao/arffits"
```

The fit information can also be obtained using the `get_par()` function to get the parameter values.

```
sherpa> par = get_par("p1.gamma")
sherpa> print(par)
name          = p1.gamma
model         = powlaw
type          = src
value         = 1.51851
min           = -10
max           = 10
delta          = -1
units          = NULL
frozen          = 0
linked          = 0
linkexpr        = NULL
```

The main fields of instrument are highlighted in bold above – the parameter name and its best-fit value. The other fields provide other information about the parameter – such as whether it is part of a source or instrument model and whether it is frozen or thawed – as described in the `get_par()` and `CREATE` ahelp pages.

Above we used `get_par()` to find information on one parameter ("p1.gamma"). If called with no argument it returns the results for all the defined parameters – an array of structures, one structure per parameter, in the order that `list_par()` uses:

```
sherpa> pars = get_par
sherpa> pars
Struct_Type[6]
sherpa> print(pars[0])
name          = abs.nH
model         = xswabs
type          = src
value         = 2.4061
min           = 1e-07
max           = 10
delta          = -1
units          = 10^22/cm^2
frozen          = 0
linked          = 0
linkexpr        = NULL
sherpa> print(pars[1])
name          = p1.gamma
model         = powlaw
type          = src
value         = 1.51851
min           = -10
```

S-Lang & fit results – Sherpa

```
max          = 10
delta        = -1
units        = NULL
frozen       = 0
linked       = 0
linkexpr     = NULL
sherpa> print(pars[2])
name         = p1.ref
model        = powlaw
type         = src
value        = 4
min          = 1
max          = 7.4971
delta        = -1
units        = NULL
frozen       = 1
linked       = 0
linkexpr     = NULL
```

The `get_fit()` routine returns a structure which contains information of the quality of the fit.

```
sherpa> good = get_fit()
sherpa> print(good)
dataset      = 1
datatype    = source
stat        = 83.2873
numbins     = 131
dof          = 128
rstat        = 0.650682
qval        = 0.999225
```

These values can also be obtained individually:

```
sherpa> stat = get_statistic
sherpa> print(stat)
83.2873
sherpa> nbins = length(get_data)
sherpa> print(nbins)
131
sherpa> ndof = nbins - get_num_par_thawed
sherpa> print(ndof)
128
sherpa> get_qvalue(ndof,stat)
0.999225
```

Note that `get_num_par_thawed()` returns the *total number* of thawed parameters, whether or not they are part of the source expression. This means that adding extra models will change the value returned by `get_num_par_thawed()` –

```
sherpa> get_num_par_thawed
3
sherpa> paramprompt off
Model parameter prompting is off
sherpa> xsmekal[plasma]
sherpa> get_num_par_thawed
5
```

– and so care should be taken when calculating the number of degrees of freedom in a fit using the approach above.

Accessing other useful information about the fit

A number of other S-Lang may be of interest; here we show some of them in action with little commentary:

```

sherpa> get method expr
levenberg-marquardt
sherpa> get stat expr
chi_gehrels
sherpa> get source expr
(abs * p1)
sherpa> cpts = strtok( get source expr, " ()*+-/" )
sherpa> print(cpts)
abs
p1
sherpa> print(get defined models)
abs
p1
plasma
sherpa> get exptime
7854.47
sherpa> filters = get filter expr
sherpa> vmessage( "The first filter was '%s'", filters[0] )
The first filter was 'ignore source 1 energy : 0.5 , 8 : '
```

The "is" routines (see "ahelp is") may also prove useful.

Errors on individual parameters (projection)

Set up

We will use the projection method to estimate 1 sigma errors on the gamma parameter of the powerlaw component.

```

sherpa> restore proj
sherpa> projection p1.gamma
Projection complete for parameter: p1.gamma

Computed for projection.sigma = 1
-----
Parameter Name      Best-Fit Lower Bound      Upper Bound
-----
p1.gamma           1.51851   -0.105572      +0.107951
```

Accessing the PROJECTION results

The results of the run can be accessed using the get_proj() routine, as shown below. This routine always returns an array of structures, even if there is only one element in the array.

```

sherpa> res = get_proj()
sherpa> print(res[0])
name          =  p1.gamma
val           =  1.51851
vlo           =  1.41294
```

```
vhi          = 1.62646
sigma       = 1
```

Here we re-run to get the 90% confidence limits (corresponding to 1.6 sigma) on both the power-law slope (gamma) and the column density of absorbing material (nH):

```
sherpa> sherpa.proj.sigma = 1.6
sherpa> projection p1.gamma abs.nh
projection complete for parameter: abs.nH
projection complete for parameter: p1.gamma

Computed for projection.sigma = 1.6
-----
Parameter Name      Best-Fit Lower Bound      Upper Bound
-----
abs.nH              2.4061   -0.240423      +0.260944
p1.gamma            1.51851  -0.167618      +0.174267
```

Note that when we use `get_proj()` the order of the returned values need not match that specified at the prompt (the values above also have the `abs.nH` reported before the `p1.gamma` parameter):

```
sherpa> errs = get_proj
sherpa> print(errs[0])
name      = abs.nH
val       = 2.4061
vlo      = 2.16568
vhi      = 2.66704
sigma    = 1.6
sherpa> print(errs[1])
name      = p1.gamma
val       = 1.51851
vlo      = 1.35089
vhi      = 1.69278
sigma    = 1.6
```

Similar behaviour is seen if you use the `UNCERTAINTY` and `COVARIANCE` methods, although the name of the routines used to access the error estimates changes to `get_unc()` and `get_cov()` respectively.

How does the fit surface vary for a parameter (interval–projection)

Set up

Here we use `INTERVAL-PROJECTION` to see how the fit statistic varies with the gamma parameter of the power law component. Since we already know that the 90% errors are approximately ± 0.2 we choose to set the axis range manually:

```
sherpa> restore intproj
sherpa> sherpa.intproj.arange = 0
sherpa> sherpa.intproj.min = 1
sherpa> sherpa.intproj.max = 2
sherpa> intproj p1.gamma
Interval-Projection: grid size set by user.
                           outer grid loop 20% done...
                           outer grid loop 40% done...
```

```

        outer grid loop 60% done...
        outer grid loop 80% done...

sherpa> ticks maj y 10
sherpa> ticks min y 5
sherpa> redraw

```

The resulting plot looks [like this](#) (the calls to the TICKS command are to add extra numeric labels to the Y axis since the default settings for this plot are not too helpful). The "confidence intervals" table in "[ahelp projection](#)" list a range of common confidence levels and the corresponding change in chi-square values (i.e. the statistic value on the Y axis in this plot).

Accessing the INTERVAL-PROJECTION results

The data from this plot can be read into S-Lang variables using the `get_intproj()` routine and used to convert the y axis into "delta chi squared":

```

sherpa> iplot = get_intproj
sherpa> print(iplot)
x0          = Double_Type[20]
y           = Double_Type[20]
name        = p1.gamma
bfit        = 1.51851
config      = sherpa_VisParEst_State

sherpa> clear
sherpa> curve(iplot.x0,iplot.y-get_fit().stat)
0
sherpa> simpleline
sherpa> symbol none
sherpa> line 0 2.71 3 2.71
sherpa> ln 1 red
sherpa> xlabel "\gamma"
sherpa> ylabel "\Delta \Chi^2"
sherpa> xlabel size 1.4
sherpa> ylabel size 1.4
sherpa> tickvals size 1.4
sherpa> redraw

```

The resulting plot looks [like this](#) . It is essentially identical to the [interval-projection plot](#) except that the best-fit value is drawn at y=0 (since we subtracted off `get_fit().stat` from the `iplot.y` values) and the points are connected by a straight line rather than drawn as a histogram.

How are two parameters correlated (region-projection)?

Set up

In this section we use the `REGION-PROJECTION` command of *Sherpa* to see whether the `gamma` and `nH` parameters are correlated. We "cheat" and go straight to the best set up obtained in the "Confidence limits" threads:

```

sherpa> restore regproj
sherpa> sherpa.regproj.arange = 0
sherpa> sherpa.regproj.min = [1.2,2]

```

S-Lang & fit results – Sherpa

```
sherpa> sherpa.regproj.max = [1.9,2.8]
sherpa> sherpa.regproj.nloop = [21,21]
sherpa> sherpa.regproj.sigma = [1,1.6]
sherpa> chips.mingridsize = 100
sherpa> regproj p1.gamma abs.nh
Region-Projection: computing grid size with covariance...done.
    outer grid loop 20% done...
    outer grid loop 40% done...
    outer grid loop 60% done...
    outer grid loop 80% done...
Minimum: 83.2873
Levels are: 85.5833 87.7093

(messages omitted)
```

Accessing the REGION-PROJECTION results

As with the other commands, the results are accessible from S-Lang, this time by the `get_regproj()` function. It returns a structure which contains the axes values – as 1D arrays in the fields `x0` and `x1` – the statistic value at each point – in the `y` field – and an array of values giving the contour levels in the `levels` field:

```
sherpa> conf = get_regproj
sherpa> print(conf)
x0          = Double_Type[441]
x1          = Double_Type[441]
y           = Double_Type[441]
levels      = Double_Type[2]
name         = String_Type[2]
bfit         = Double_Type[2]
config       = sherpa_VisParEst_State
sherpa> print(conf.levels)
85.5833
87.7093
sherpa> writeascii(stdout,conf.x0[[0:4]],conf.x1[[0:4]],conf.y[[0:4]])
1.2      2      92.8386
1.2      2.04    93.1307
1.2      2.08    94.0888
1.2      2.12    95.662
1.2      2.16    97.8023
```

where we have used the `writeascii()` routine to print out the first 5 rows of the `x0`, `x1`, and `y` fields.

History

14 Jan 2005 reviewed for CIAO 3.2: no changes
21 Dec 2005 reviewed for CIAO 3.3: no changes
01 Dec 2006 reviewed for CIAO 3.4: no changes

Image 1: Plot of interval–projection results

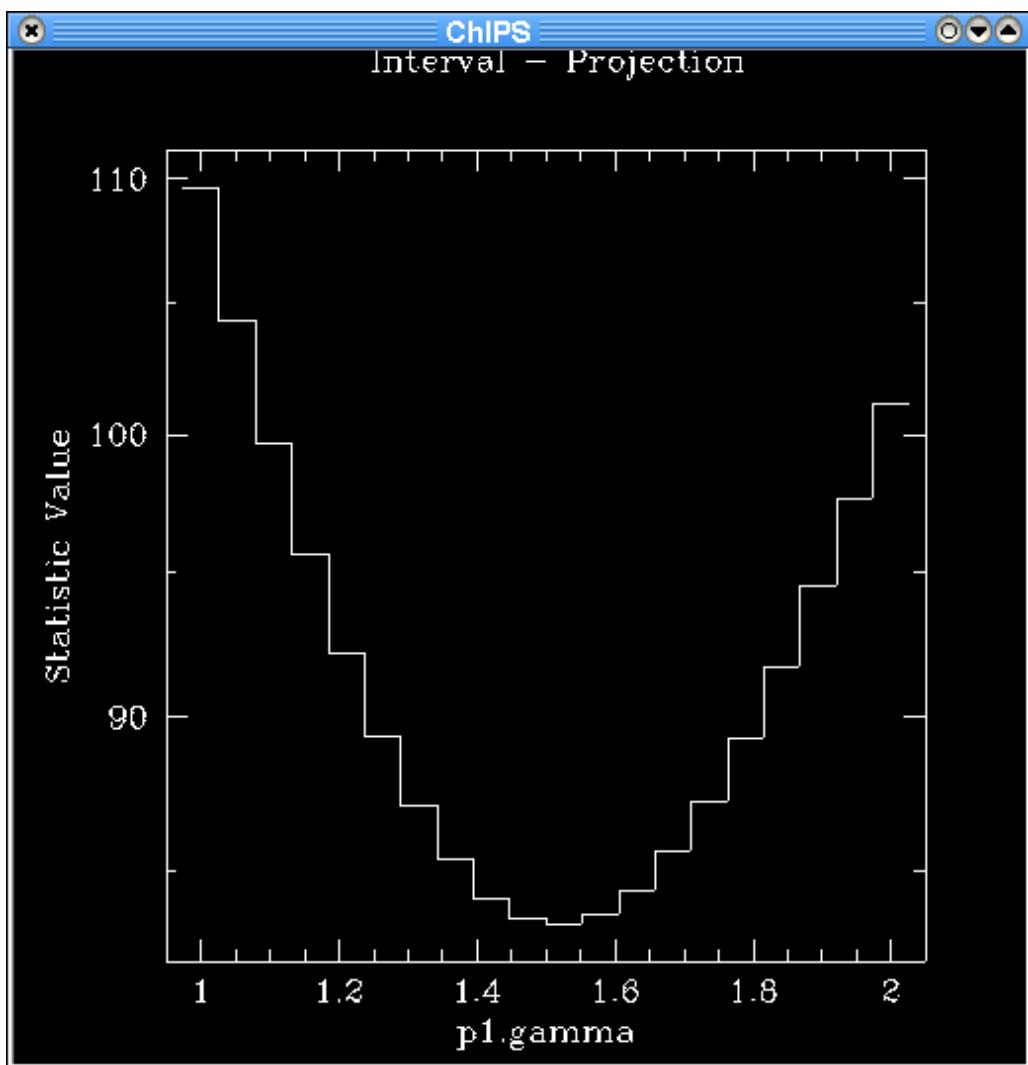
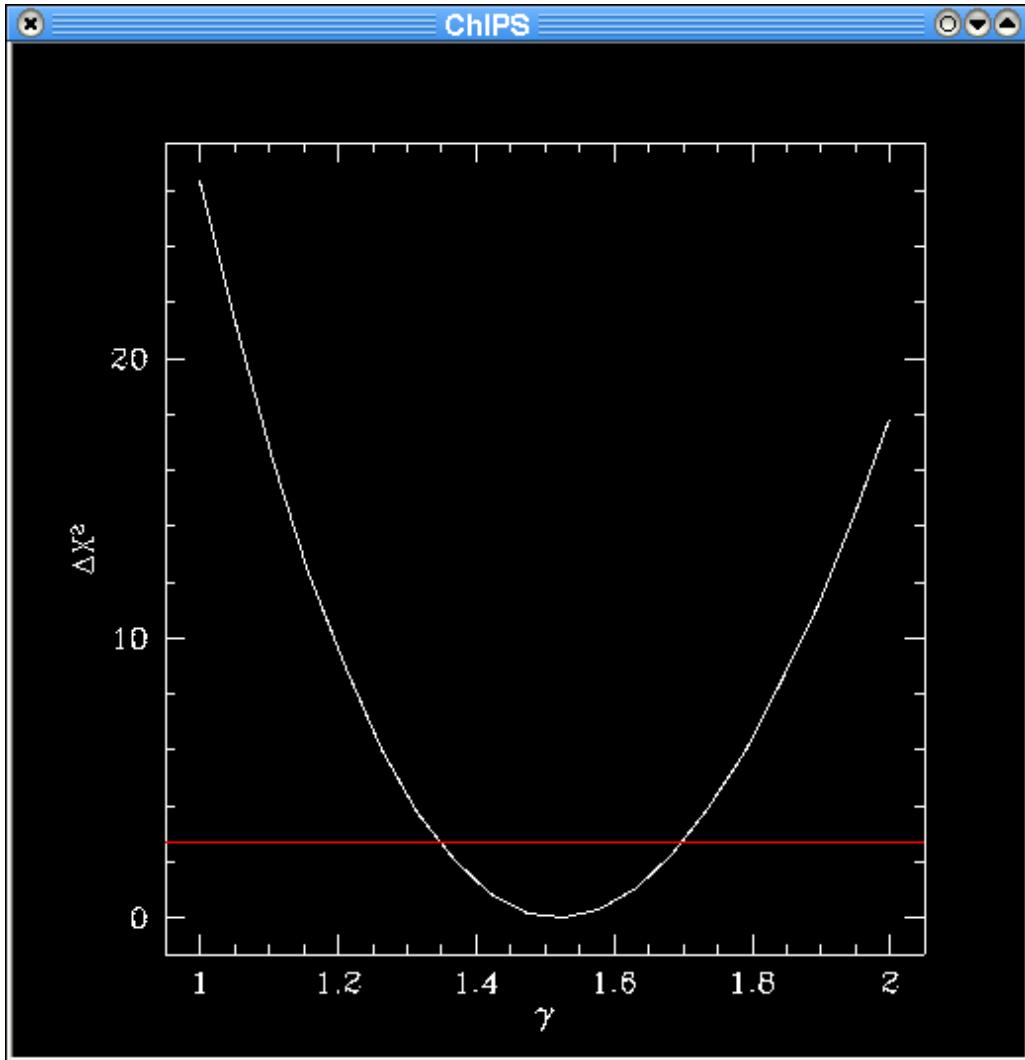


Image 2: Interval–projection results converted to a delta chi squared plot

The red line is drawn at a delta chi-squared value of 2.71, which corresponds to the 90% confidence level. See the "confidence intervals" table in "[ahelp projection](#)" for a range of common confidence levels and the corresponding changes in statistic value.